

$\bar{y}$ $\tilde{E}^{\circ\circ}$ $\hat{A}$ Δ a η $\parallel$
 a $\ddot{y}$ $\sim$ $\uparrow$ a η $\hat{A}$

η $\hat{A}$ $\tilde{E}^{\circ\circ}$ $\sim$
 a η $\sim$ $\hat{b}$ a η $\neq \hat{A}$ $\sim$
 η $\hat{b}$ $\bar{w}$ $\int$ $\sim$ $\sim$ $\hat{b}$ $\tilde{E}$
 $\vdash$ $\sim$ η ψ $\hat{A}$

$\mathfrak{G}$ $\sim$ $\mathfrak{F}$ $\grave{a}$ $\sim$ η
 $\sim$ $\grave{a}$ $\sim$ $\psi^{\circ\circ}$ $\sim$ η

G

Ẽ ° ° ~ Û H ∞ @ ρ̇ ° ₧ ~
^ Â ¯ ^ ^ ¯ ~ ρ ° ₧ ~ ð̃ k Â ¯
Y ° ₧ ~ ã k Â

n

Й ↓ n H ~ γ ð̃ H ~ ° Ъ ì
κ v ì ° ì | Â ч з ð̃ Û √ ~ ° 7
~
ρ a Â

7 °

$\tilde{\omega}$ $\hat{A}^{\rho}$ $\sim$ $\sim$
 $\beta \hat{A}$
 $\sim$ $\sim$ $\sim$ $\mathfrak{b} \hat{A}$ $^{\rho}$ $\sim$ $\tilde{E}$ $\acute{k}_{\neg}$
 $\sim$ $\oplus \sim$ $\mathfrak{b} \hat{A}$
 $\sim$ $\mathfrak{H}$ $\mathfrak{b} \hat{A}$
 $\sim$ $\mathfrak{T}$ $\mathfrak{b} \hat{A}$
 $\bar{G}$ $^{\rho}$ $\hat{A}$

$\cdot$ η									
'	2	$\mathfrak{F}^{\sim}$	$\neg$	$H^{\neg}$	'	$\mathcal{A}$	$\hat{A}$		
'	2	$\mathfrak{F}^{\sim}$	$^{\rho}$	$\dot{\mathfrak{i}}$	$^{\rho}$	'	$\mathcal{A}$	$\hat{A}$	

ᄡ	№	
ᄡ		
ᄡ	ᄡ	ᄡ 9
ᄡ	ᄡ	 11
ᄡ	ᄡ	ᄡ 15
ᄡ	№	
ᄡ	ᄡ	ᄡ
	ᄡ	ᄡ : 18
ᄡ		 20
ᄡ		 28
ᄡ	ᄡ	 30
ᄡ	ᄡ	 34
ᄡ	ᄡ	 37
ᄡ	ᄡ	 41
ᄡ	ᄡ	 45
ᄡ	ᄡ	ᄡ 50
ᄡ	ᄡ	ᄡ 55
ᄡ	ᄡ	 60
ᄡ	ᄡ	 66
ᄡ	ᄡ	 69
ᄡ	ᄡ	 77
ᄡ	ᄡ	ᄡ 80
ᄡ	ᄡ	 85
ᄡ	ᄡ	 85

(G ,

	G			
G				7 “ ” № G 3
	^ ~ 1			
	№ 1			
	w G			
	ỉ		^ 1 ~ à G à ↓ à 6-35KV G ^ PC~	1~ Ux b 4 u 1 7 A
		v	^ 1 ~ à G à à ^ PC~	“ G ” w à 4 à 4 ≠ v
			^ PC~	
G	ỉ	v	à G ^ PC~	10~15A 4 5A L CT ~
	1 ^	à v 1 à 1 à	^ 1 ~ à 6-35KV G ^ PC~	G “ v 1 ” “ 1 ” b ~
			v 1 ~ ỉ v à 6-35KV G ^ PC~	ỉ d 4 b 4 b ~
	v à v 1 :			
G	ũ	d L	ă ^ 1 ~ G ă ^ PC~	ũ “ G ” b 4 Y/Y à v 1 u 4 1 ỉ 1 G
	ĩ			
	G	L	ă ^ 1 ~ G à ^ PC~	“ G ” G n
	G			7
	: G			1
G	1 ^		ă : “ G ” №	ă : “ G ” №
	~ ^ ~			

ĩ Ĝ	ˆ ′ ‰		ã ˆ ˆ ˆ ˆ ˆ PC˜	ˆ A ˆ ˆ ˆ ˆ ĩ
	ˆ Ĝ			ă ˆ T “ ˆ No Ĝ ” ˆ BP-2B RCS-915
	ö ˆ Ĝ		ˆ	ö “ ” ˆ † Ĝ ˆ ˆ ˆ G ĩ ˆ ˆ ˆ

$\bar{w}$ N_0

a



[illegible]

$\mathbb{F}$
 $\mathbb{F}$
 $\mathbb{F}^{\sim}$ $\mathbb{V}^{\sim}$ $\cdot$
 $\mathbb{F}^{\sim}$ $\mathbb{V}^{\sim}$ $\cdot$
 $\mathbb{H}$ $\mathbb{b}$ $\mathbb{V}^{\sim}$ $\mathbb{V}^{\sim}$
 $\mathbb{F} \mathbb{W}$
 $\mathbb{F}$ $\mathbb{F} \mathbb{W}$
 $\mathbb{F}$ $\mathbb{H}$ $\mathbb{b}$
 $\sim$ $\cdot$
 $\cdot$
 $\mathbb{F}$
 $\mathbb{F}$
 $\mathbb{F}$ $\cdot$ $\square$ $\sim$ $\cdot$ $\square$ $\mathbb{F}$
 $\mathbb{F}$ 1
 1 $\mathbb{F}$
 $\mathbb{F}$
 1 $\mathbb{F}^{\sim}$ $\mathbb{V}^{\sim}$ $\cdot$
 1 $\mathbb{F}^{\sim}$ $\mathbb{V}^{\sim}$ $\cdot$
 1 1 $\mathbb{F} \mathbb{W}$
 $\sim$ $\cdot$
 $\cdot$
 1 $\mathbb{F}$
 $\mathbb{F}$
 1 $\mathbb{F}$ $\mathbb{V}$ $\cdot$ $\square$
 1 $\mathbb{F}$ $\mathbb{V}$ $\cdot$ $\square$
 1 1 $\mathbb{F} \mathbb{W}$

γ $\tilde{1}$

γ $\sim$		β $\sim$ Γ $\mathbb{E}$ $\cdot$ Γ $\mathbb{E}$ $\cdot$
γ $\mathbb{F}$		$\cdot$ $\cdot$ $\cdot$ $\cdot$ $\cdot$ $\cdot$
		$\cdot$

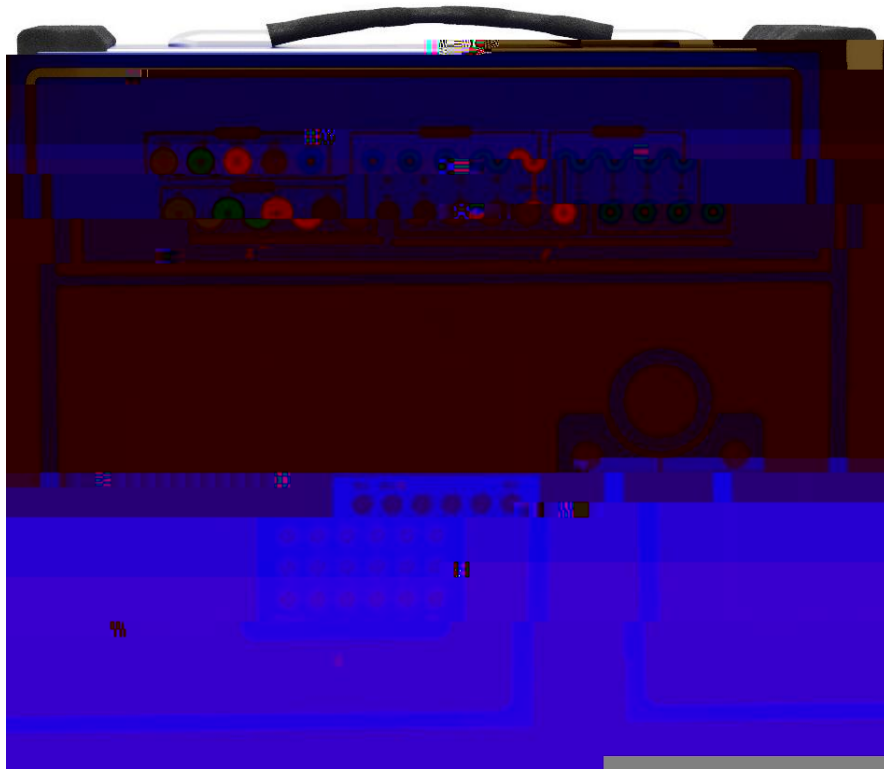
ʙ ɥ L ~ ʙ ~
 à ɲ ~ ʙ ~ a Â o à
 o à ɣ H o ~ ~ B ʊ à H ɔ ɹ Â
 ɲ ǐ ː ~ ɲ . ʙ ~ ʁ ɐ B Â
 ʙ L Â ʙ ɹ B ɹ ɹ ~ Â

L ʙ ɥ ʃ ~ ɔ ː β ǐ ° ɥ k
 Â ɠ w ɹ ~ ɥ N o ~ ɔ ~ ɹ Â ɔ ʒ L
 ɲ ɿ H à ʃ Â

~ Ĝ ʒ ɲ ɹ à ɹ Â
 ɠ ~ Ĝ ~ N o ~ ɣ ɣ ~ ɿ
 à à ~ ɠ à ɲ ɣ ~ ~ Ĝ Â

à ɹ w ʃ ~ a à ɹ ~ ʃ ɿ ɿ ɥ
 m ~ à ɥ ɲ ɣ ~ ɸ ʃ ɿ ~
 ~ ~ ɣ ɥ à ɹ Â
 w o w Ĝ w ɔ ʙ w ʃ ~ ~ à ~
 ɿ w ʔ ɸ Â w ɿ à à ɹ ǐ Ĝ Â ʃ
 ~ ɹ ʃ ~ ɹ L ʃ w ~ ɹ ɔ w ~ ʃ H ~ Â ɥ
 ʏ ʙ w ~ ʒ ʏ ɔ Â ǐ ɣ ʏ ʃ ~
 ʙ ~ ɔ ~ ɿ ɔ ~ ɹ w ʃ ʃ Â
 ʃ ~ Â
 ~ ʃ

~~Handwritten text, possibly a signature or name, crossed out with a large 'X'.~~



$\mathbb{I}$ $\mathbb{F}$
 τ $\sim$ $\sim$ $\mathbb{F}$
 $\sim$
 L $\sim$ $\dot{\mathbb{I}}$ $,$ $\sim$ $,$ $\mathbb{I}$

o $\sim$ $\sim$
 o $\sim$ $\sim$ $\mathbb{I}$ $\wedge$ $\grave{a}$ $\mathbb{I}$ $\sim$ $\mathbb{H}$
 $\mathbb{F}$
 $\mathbb{F}$
 $\textcircled{P}$ $\mathbb{F}$ τ

$\mathbb{I}$ $\mathbb{F}$ $\bar{G}$

τ

$\mathbb{I}$ $\sim$ $\bar{G}$
 $\sim \sim \sim$



$\mathcal{H}$ $\mathcal{N}_{\mathcal{O}}$

$\bar{G}$ $\mathfrak{D}$ $\mathfrak{b}$

G





ă ^ w ☼ ~



Ĝ ă ^ w ☼ ~



g ă | || Δ ṽ B̃ g Â



^ w ☼ ~



^ w ☼ ~



^ w ☼ ~



^ w ☼ ~



л ƒ w Ъ l' L T̃ ~ w ~



l L T̃ ~ Â



☼ l' R̃ L l' ~ L ~ ṽ ĭ ṽ w̃ @ Â ĭ w Ъ л



☼ l' R̃ L l' ~ L ~ : ĭ ṽ w̃ @ Â ĭ w Ъ л



' l ~ Ъ Ÿ 1 ~ t̃ ~ Â



g Ъ ☼ 1 Â



g || H ĭ ĭ Â



ĭ τ 3 ψ ~ Ъ a 1 ƒ 3 7 ĭ κ w̃ ṽ
3 ψ 4̃ ĭ Â ƒ ṽ β̃ w̃ ~ ĭ ~ H ĭ τ

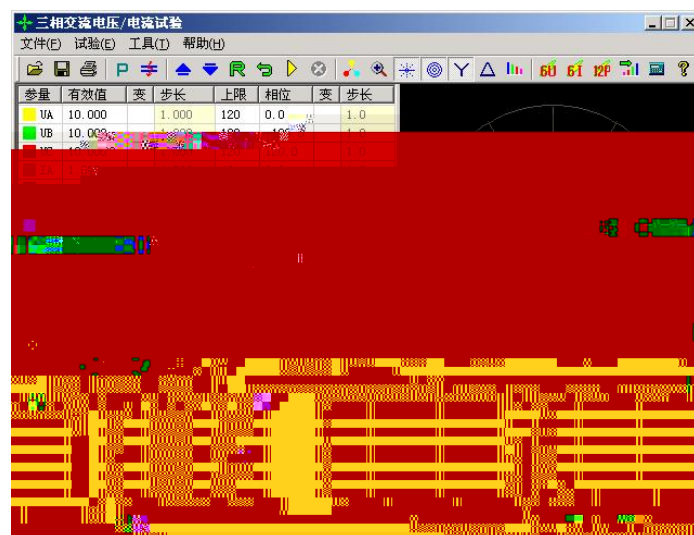


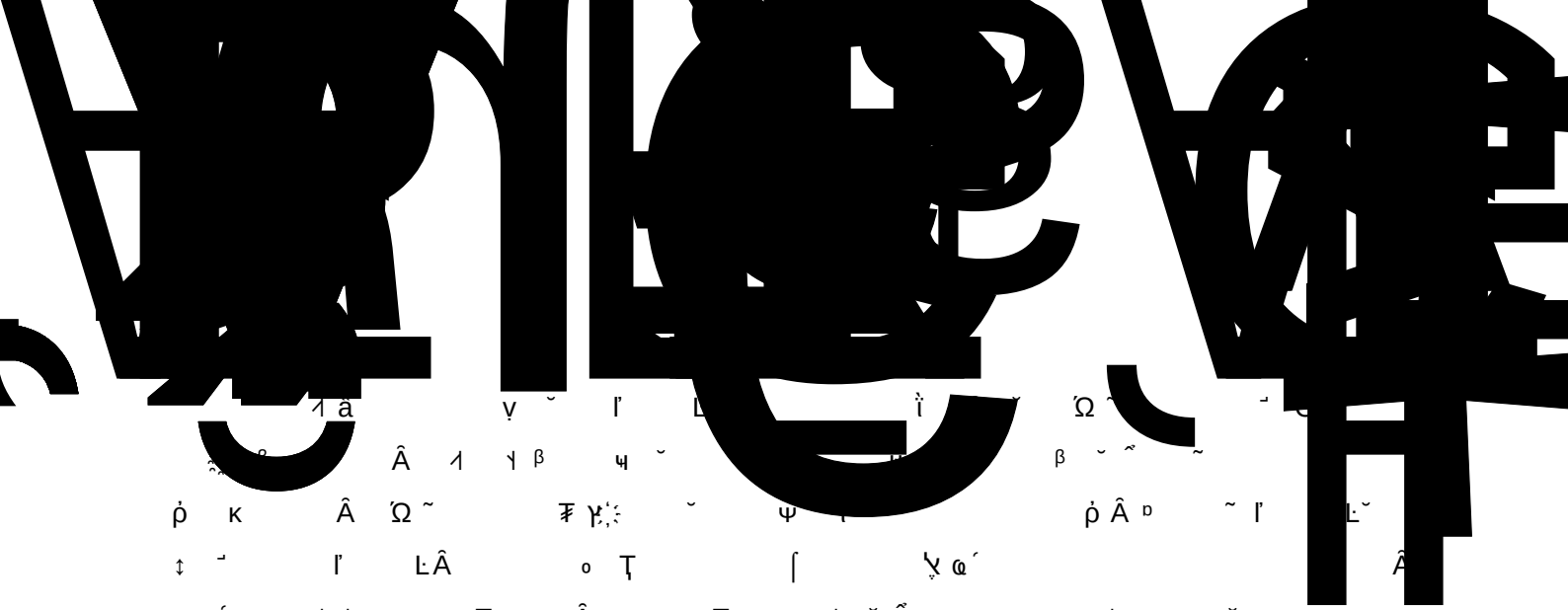
w g l' Ĝ L Đ T̃ - l' L Đ Â



w ~ ũ w̃ w Â D̃ © | F № Â
l' Ĝ L Đ T̃ Ɂ ĭ № ƒ L @ Đ Â

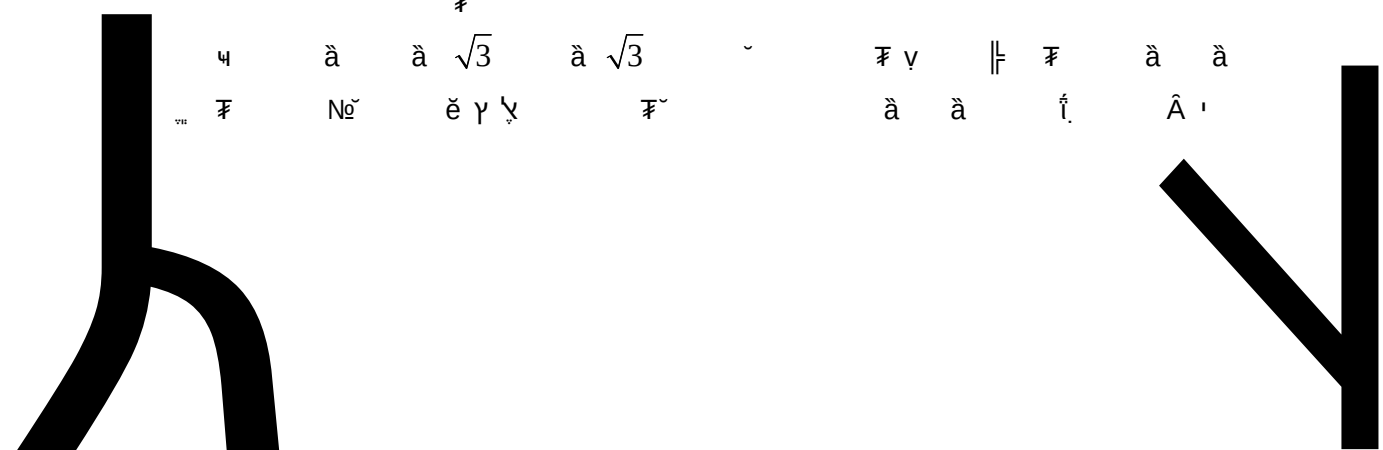
Γ' L $\bar{w}$ α $\ddot{a}$ $\sim$ 1 $\gamma''H$
 $\gamma \ddot{i}$ N_0 $\mathbb{F}$ $\gamma''H\hat{A}$ $\odot$ ε $\oplus$ $\hat{A}$ $\gamma''H\varepsilon$ $\sim$
 $\gamma''HN_0$ z γ $\mathfrak{D}\mathfrak{H}$ $\hat{A}$ $\mathfrak{U}$ γ 1 $\mathfrak{U}\ddot{i}$ $\sim$
 $\mathfrak{z}\ddot{i}$ $\bar{w}$ $\ddot{i}$ $\sim$ $\mathfrak{f}$ $\wedge$ Γ' $L\ddot{a}\Gamma'\gamma'$ L $\Gamma'\eta'$ $\mathbb{E}$
 $\sim\sim$ $\mathfrak{B}$ γ 1 $\bar{G}$ $\mathfrak{b}\gamma\ddot{a}$ $\gamma\gamma\ddot{i}'\mathfrak{b}$ $\sim$ $\mathfrak{F}$
 $\hat{A}$ $\mathfrak{G}$ Γ 1 $\mathbb{E}$ L $\gamma''H$ $\ddot{i}$ $\mathfrak{z}$ α $\mathfrak{a}$ $\odot$ $\mathfrak{b}$ $\sim$
 $\gamma\mathfrak{H}$ $\gamma\Gamma$ 1 $\mathbb{E}$ $\mathfrak{U}^{\mathfrak{D}}$ $\hat{A}$
 $\sim$ γ L $\mathbb{F}$ 1 $\sim$ $\mathbb{F}$ $\sim$
 $\ddot{i}$ N_0 $\mathbb{F}w$ $\sim$ N_0 $\gamma\sim$ $\mathbb{F}\gamma$ $1\ddot{a}$ $\mathbb{F}$ N_0
 $\ddot{i}$ $\mathbb{F}$
 γ $1\ddot{a}$ $\mathbb{F}\sim$ $\gamma\kappa$ γ $\beta\sim$ $\gamma\gamma$ $\odot$ L
 γ γ $\beta\ddot{a}$ $\sim$ γ $\ddot{i}$ $\sim$ $\ddot{i}$ $\sim$ κ
 $\sim$ γ $\mathbb{F}$ $\sim$ $\mathfrak{Z}\sim$ $\gamma\kappa$
 $\sim$ $\gamma\eta'$ $\ddot{a}\gamma'$ $\ddot{a}$ $\ddot{i}$ $\sim$ $\mathfrak{f}$ $\mathbb{F}\sim$ $\gamma\kappa$ $\oplus$
 $\mathbb{F}\sim$ γ $\acute{k}$ $\gamma\ddot{a}$ $\beta\ddot{a}$ $\gamma\ddot{i}\ddot{i}$ α
 $\sim$ γ w $\gamma\sim$ $\mathfrak{G}$ w $\mathfrak{N}$
 $\sim$ $\mathfrak{b}\gamma\ddot{a}$ $\gamma\ddot{a}'\mathfrak{b}$ $\ddot{a}$





ī ā v ~ ī l ī ō ~ ī
ā ī γ β χ ~ ī β ~ ~
ρ κ ā ō ~ ϕ γ ~ ψ γ ~ ρ ā ° ~ ī l ~
† ~ ī l ā ° τ | γ ω' ā
~ ī γ ϕ ā ϕ ī ~ ~ κ η ī γ a ~ ī v
~ β ~ ρ β ī ā ° ' ϕ ā ~ ϕ ā ~ † ϕ v χ
ā
~ γ ϕ ā ϕ ~ ~ a ~ a γ
β ā ϕ ~ ā ~ ϕ ~ ā
⊙ τ ~ v ⊙ ī ī l w g ϕ ~ ī ~
v β ī ī l ⊙ Dp ī ſ l ~ † ϕ ~ γ ī , ī l w
ō ī ~ ~ ī ī l "H ā v ī v χ ~ ī
v χ ā
⊙ l w γ "H ϕ v ā ψ β ϕ
~ ~ χ w ⊙ v l ~ † τ β ψ ~ ~ Ġ η ā ⊙ v l
⊙ ϕ v ī ϕ v ā

~ ~ ϕ ''
χ ā ā √3 ā √3 ~ ϕ v || ϕ ā ā
ϕ No ě γ γ ϕ ~ ā ā ī ā '



$\bar{R}$ $\bar{G}$ $\bar{G}$ $\bar{b}$ $\sim \gamma \bar{B} \bar{G}$ $\sim$ $\bar{b} \hat{A}$



“ ”

“ ”

$\mathcal{T}^{\sim}$ $\mathfrak{D}^{\sim} \mathcal{H}$ $\mathcal{F}$ $\mathcal{F} w$ $'$
 $\mathcal{F}$ $\sim \gamma$ $\bar{a} \mathcal{V}$ $\bar{a} \eta$ $\mathfrak{D}$ $\sim \sim \gamma$ Γ $\mathcal{L}$ Γ $;\mathcal{L} \mathfrak{D}$ $\bar{a}$
 Γ $\bar{b} \mathcal{L}$ Γ $\bar{b}$ $\mathcal{L} \mathfrak{D}$ $\hat{A}$ $\mathfrak{H}^{\sim} \gamma$ $\hat{\Gamma}$ $\bar{L}$ $\hat{A}$
 $\mathcal{V}$ $\mathfrak{H}^{\sim}$ $\mathcal{D}_p$ $\Gamma \hat{\Gamma} \mathcal{L}$ $\Gamma \mathcal{S} \mathcal{L}$ $\mathfrak{U}$ $\mathcal{V}^{\sim} \hat{A}$
 $\sim \sim \gamma$ $\mathcal{V}$ $\mathcal{F}$ $\hat{\Gamma} \mathcal{U}$ $\mathcal{V} \hat{A} \hat{\Gamma}$ $\bar{b}$ $\mathcal{U}$ $\sim$
 $\hat{\Gamma} \mathcal{V}$ $\mathcal{V}$ $\beta \mathcal{V}^{\sim}$ $\mathbb{F} \mathcal{B}$ Γ $\mathcal{L}$ $\sim \sim \mathcal{V} \mathcal{V}$ $\sim$ Γ $\mathcal{L}$ $\sim$
 $\mathcal{V}$ $\mathcal{F}$ $\hat{\Gamma} \mathcal{U}$ $\sim \mathcal{V} \mathcal{V} \hat{A}$

Γ $\bar{G} \mathcal{L}$ $\downarrow$ $\mathfrak{n} \mathcal{V}$ $\sim$ $\bar{w} \mathfrak{a}^{\sim} \mathcal{E}^{\sim}$ $\hat{A}$ $\sim \bar{G}$ $\bar{b}$ $\bar{R}^{\sim} \bar{w}$ $\mathfrak{n}^{\sim} \mathcal{E}$
 $\sim \sim \mathfrak{z}$ $\bar{w}$ $\sim \bar{a} \bar{a} \bar{a} \bar{a} \bar{a} \bar{a}$ $\mathcal{T} \kappa \bar{w} \mathfrak{a} \hat{A}$ β $\bar{R}^{\sim} \bar{w}$
 β $\sim^{\sim} \mathcal{E}^{\sim}$ $\hat{A}$

$\mathcal{T}^{\sim}$ $\sim \bar{a} \bar{a} \bar{a} \bar{a} \bar{a} \bar{a}$ $\sim \varepsilon \mathcal{U} \Gamma$ $\mathcal{L}$ $\mathcal{T}^{\sim} \mathcal{B}$ $\mathfrak{a}$
 $\sim \sim \sim$ $\mathcal{T}^{\sim} \hat{A}$ $\sim \bar{G}$ $\bar{a}_{\mathfrak{u}}$ $\sim \kappa \bar{w}$ $\sim \mathcal{T}^{\sim}$ $\bar{G}$ $\mathcal{T}^{\sim} \mathfrak{D}$
 $\sim \mathcal{U}_{\mathfrak{u}}$ $\mathcal{H}^{\sim}$ $\sim \sim \hat{A}$ $\sim^{\sim} \mathcal{E}^{\sim}$ $\sim \bar{w}$ $\hat{A}_7$
 $\mathfrak{n}$ $\mathbb{I}$ $\sim \hat{\Gamma} \beta \mathcal{H}^{\sim}$ $\mathcal{V}$ $\sim \mathcal{T}$ $\mathfrak{H} \bar{w} \mathfrak{a}$ $\hat{A}$
 $\sim \hat{\Gamma} \beta \mathcal{V}$ $\mathcal{T}$ Ψ $\mathcal{V}$ $\hat{A}$

$\mathcal{V}$ $\bar{G}$ $\sim \hat{\Gamma}$ $\mathcal{B}_{\mathfrak{u}}$ Ψ $\bar{w}$ $\bar{A} \mathcal{U}$ $\sim$
 $\bar{w}$ Γ $\mathcal{T}^{\sim} \hat{\Gamma} \beta$ $\mathcal{L} \hat{A} \bar{w}$ $\mathcal{G}$ $\sim \mathcal{T}^{\sim} \hat{\Gamma} \beta$ $\mathcal{U}$ $\sim$
 $\bar{G}$ $\sim \mathcal{T}^{\sim} \hat{\Gamma} \beta$ $\mathcal{U}$ $\sim \hat{A}$

” “ 1” 7 1, ” Â Ä “ Ġ ” ~ ь 7 Ġ ‘ Ġ

• •

“ ”

I Ġ L ð Ÿ € Ð u Q i Γ ~ ⋅Γ⊙
 ě Â Ð ₣ ʒ̃
 v y T ₣ ě € ™ ℥ ℧ ℹ
 γ α ∂ ρ l L ~ Ð
 √ ₣ ı à ~ γ ĭ Ω
 ~ l' L T Â ~ ☀ ~

No Ъ 7
⊙ № 1
У № Ь D У
1 У β | У № ~
· з Ъ~ з D ~ ч
№ L з Б Â D ~
№ 1~ № · № ~
№≠ № 1 У β~
7 № 1 У з
l · L~ Д - № л
№ 1 У β τ Â · V P ° · У · € U E m i · L · λ C O

--	--

D

8 L. ΕΠΙΤΡΟΠΗ ΡΕΕ Ε. #0ΛΧΕΟ

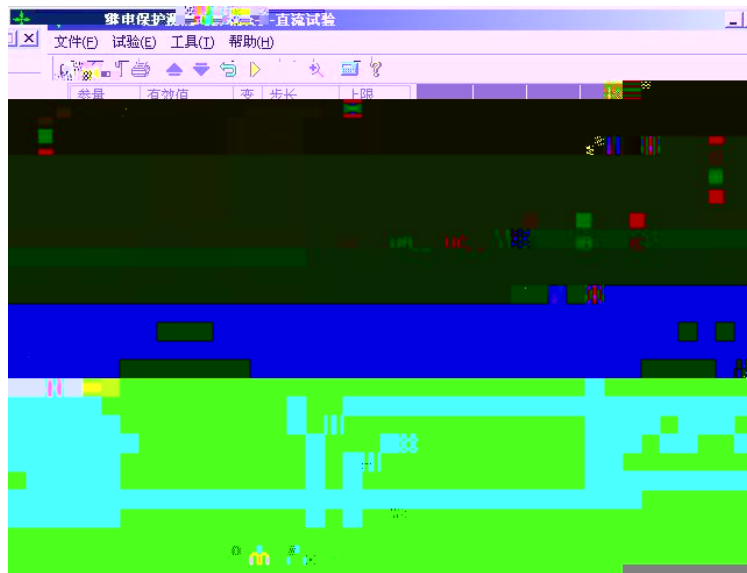
26

“ ” $\mathbb{H}$ $\mathbb{F}$ $\odot$ $\acute{k}$ $\sim$ ρ $\mathfrak{n}$ $\mathbb{F}$ $\mathbb{I}$ $\acute{k}$ $\mathbb{F}$ $\hat{A}\eta$ $\acute{k}$
 “ ” $\sim$ $\mathfrak{n}$ $\mathbb{Y}$ $\mathbb{F}$ $\mathbb{I}$ $\acute{\mathfrak{c}}$ $\acute{k}$ $\mathfrak{y}\hat{A}$ $\mathfrak{g}$ $\acute{\mathfrak{c}}$ $\mathbb{Y}$ $\acute{\mathfrak{c}}$ $\sim$
 γ $\mathfrak{c}$ $\acute{\mathfrak{c}}$ $\mathfrak{c}$ $\bar{G}$ $\mathbb{F}$ $\hat{A}$

$\Psi\bar{0}$ $\mathfrak{c}$ $\odot$ Γ $\mathbb{L}\check{\alpha}$ $\mathfrak{b}$ $\acute{k}$ $\hat{A}\dot{\mathfrak{i}}$ $\sim$ $\mathfrak{c}$ $\mathbb{F}$ $\mathfrak{Y}$ $\mathfrak{c}$ $\acute{\mathfrak{c}}$ $\sim$ $\mathfrak{c}$
 $\Gamma\dot{\mathfrak{i}}\mathbb{L}$ $\mathcal{D}_p$ $\sim$ $\mathfrak{a}\dot{\mathfrak{i}}\dot{\mathfrak{i}}\mathfrak{c}\dot{\mathfrak{i}}$ $\sim$ $\Psi\bar{0}$ $\mathfrak{c}$ $\mathfrak{c}$ $\acute{\mathfrak{c}}$ $\hat{A}$ $\mathfrak{d}^{\mathfrak{c}}\mathfrak{H}$
 $\acute{k}$ $\check{\alpha}$ $\mathfrak{c}$ $\hat{A}$
 $\mathbb{F}$ $\Gamma\mathfrak{c}$ $\mathfrak{c}$ $\mathbb{L}$ $\Gamma\eta$ $\mathfrak{c}$ $\mathbb{L}$ $\sim$ $\mathfrak{c}$ $\mathbb{F}$ $\mathfrak{Y}$ $\mathfrak{c}$ Γ $\mathfrak{c}$ $\mathbb{L}$
 $\sim$ $\mathfrak{n}$ $\mathbb{F}\mathfrak{b}^{\mathfrak{c}}\mathfrak{P}\dot{\mathfrak{i}}$ $\wedge$ $\hat{A}$ $\mathbb{F}$ $\mathbb{F}\mathfrak{y}$ $\mathbb{F}$ $\hat{A}$ $\odot$ $\acute{\mathfrak{c}}$
 $\check{\alpha}$ $\hat{A}$
 $\Gamma\mathfrak{c}$ $\mathfrak{c}$ $\mathbb{L}$ $\Gamma\eta$ $\mathfrak{c}$ $\mathbb{L}$ $\mathfrak{Y}$ $\mathbb{F}$ Γ $\mathbb{L}\dot{\mathfrak{i}}$ $\sim$ $\mathfrak{c}$ Γ $\mathfrak{c}$ $\mathbb{L}$ $\sim$
 $\mathbb{F}$ $\mathfrak{Y}$ Γ $\mathfrak{c}$ $\mathbb{L}$ $\hat{A}$

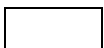
$\sim$ Γ $\mathfrak{c}$ $\dot{\mathfrak{i}}\beta$ $\mathbb{L}$ $\bar{w}$ $\sim$ $\mathfrak{c}$ $\mathfrak{c}$
 $\mathfrak{y}$ $\sim$ $\mathfrak{c}$ $\mathfrak{g}$ $\mathfrak{c}$ $\sim$ $\mathfrak{c}$ γ “ $\mathfrak{c}$ ” $\mathfrak{c}$
 $\mathfrak{c}$ $\mathfrak{b}$ $\sim$ $\mathfrak{n}$ $\mathbb{F}$ $\mathfrak{c}$ $\mathfrak{g}\bar{G}$ $\mathfrak{c}$ $\mathfrak{y}$ $\gamma\bar{G}$ $\bar{G}$ $\sim$ $\mathfrak{c}$ $\mathfrak{b}\hat{A}$
 $\bar{G}$ $\sim$ $\bar{w}$ $\bar{w}$ $\bar{w}$ $\mathbb{N}\neq$ $\hat{A}\mathfrak{z}$ $\sim$ $\mathfrak{A}$ $\mathfrak{y}$ $\bar{R}$
 $\grave{a}$ $\mathbb{F}$ $\mathfrak{c}$ $\mathfrak{c}$ $\mathfrak{c}$ $\bar{G}$ $\mathfrak{c}$ $\mathfrak{b}\hat{A}$ $\mathfrak{Y}$ $\mathbb{F}$ $\mathfrak{c}$ $\mathfrak{b}$ $\mathfrak{b}\%$ $\hat{A}$
 $\mathfrak{c}$ $\mathfrak{b}$ $\sim$ $\mathfrak{n}$ $\mathbb{F}$ $1.2\bar{O}\dot{\mathfrak{i}}\mathfrak{c}$ $\mathfrak{c}$ $\mathfrak{b}\mathfrak{y}$ $\mathfrak{y}$ $\mathfrak{c}$ $\mathfrak{c}$ $\mathfrak{c}$ $0.8\bar{O}\dot{\mathfrak{i}}\gamma\mathfrak{Y}$ $\sim$
 $\bar{G}$ $\bar{G}$ $\mathfrak{c}$ $\mathfrak{c}$ $\mathfrak{b}$ $\mathbb{F}$ $\mathfrak{c}$ $\mathfrak{b}$ $\%$ $\hat{A}$
 $\bar{G}$ $\sim$ $\mathfrak{g}$ $\mathfrak{y}$ $\bar{R}\bar{G}$ $\Psi\mathbb{F}_0$ $\sim$ $\gamma\bar{w}$ $\mathfrak{c}$ $\mathfrak{y}$ $0.95\bar{O}$ $\mathfrak{A}$
 $\sim$ $\bar{G}$ $\bar{G}$ $\sim$ $\mathbb{F}_0$ $\mathfrak{c}$ $\bar{R}$ $\mathfrak{c}$ $\bar{w}$ $\mathfrak{c}$
 $\mathfrak{y}$ $\sim$ $\mathfrak{c}$ $\mathfrak{c}$ $\mathfrak{c}$ $3I_0$ $\mathfrak{y}$ I_0 $\mathfrak{y}\hat{A}$ I_0 $\mathfrak{y}$
 $\mathfrak{Y}$ Ψ $\sim$

ĩ F ı ˘ h ˘ ı à
 Â h



“ ” “ ” ˘ ˘ a ˘ ˘ ˘ a ˘ ˘ ˘ ˘ “ ” Â
 ĩ Ъ ң Ы

ı ı ±160V
 ң ı ˘ ˘
 A100V ˘ B 100V ˘ † A
 Â ı ı Ы
 ı Â
 ı ı 10A
 ˘ ˘
 ˘



ı ı

Итак, мы получили следующие значения:



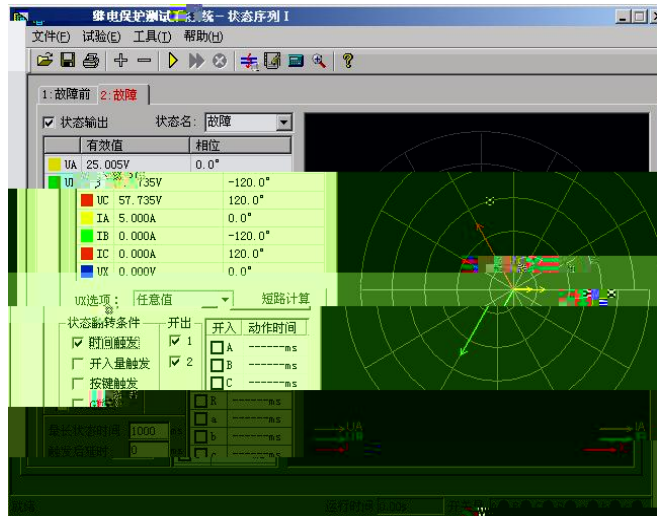
3 ˘ “ ü ” - K^ Ğ - Â
 (κ ˘ ̈ö' κ
 τ ü ˘ ˘ ˘ ≠ ˘ ^ Ƨ

0 • H* Σ B 8 T V X

9

?

CB



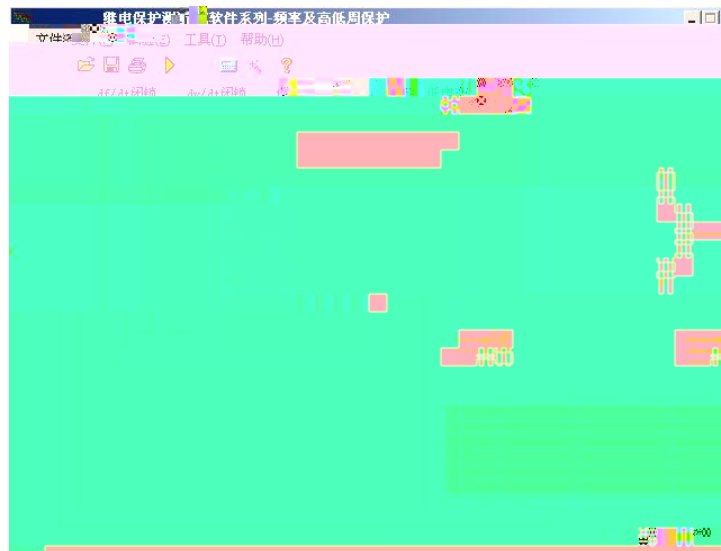


35

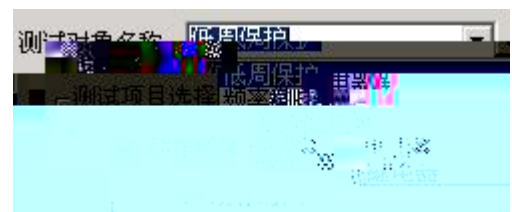
$$\forall \chi \in \mathcal{C}^{\infty}_c(\mathbb{R}^d) \quad \int_{\mathbb{R}^d} \chi(x) dx = 0 \implies \int_{\mathbb{R}^d} \chi(x) f(x) dx = 0$$
$$\hat{A}^{\sim} \quad \mathfrak{H} \quad \mathfrak{z} \quad \mathfrak{r} \quad \wedge \quad \Vdash \quad \mathfrak{l} \quad \mathfrak{s} \quad \mathfrak{l} \quad \mathfrak{u} \quad \sim \quad \hat{A} \quad \mathfrak{y} \quad \mathfrak{r} \quad \mathfrak{r} \quad \mathfrak{u} \quad \mathfrak{r} \quad \hat{A}$$

$\tilde{v}^{\wedge} \quad \tilde{a} \vee \text{I} \vee \quad v \quad \tilde{v}^{\vee} \quad n$
 $\text{I} \vee \quad \tilde{v} \quad \vee \text{I} \vee \quad \tilde{v} \quad \tilde{a} \vee \text{I} \vee \quad \text{I}$
 $n \quad \hat{A}$
 $\tilde{v}^{\wedge} \quad \text{I} \vee v \quad \tilde{v}^{\vee} \quad n \quad \text{I} \vee$
 $\tilde{v} \quad \text{I} \vee \quad \text{I} \quad n \quad \hat{A}$
 I
 $\text{I} \quad \gamma$

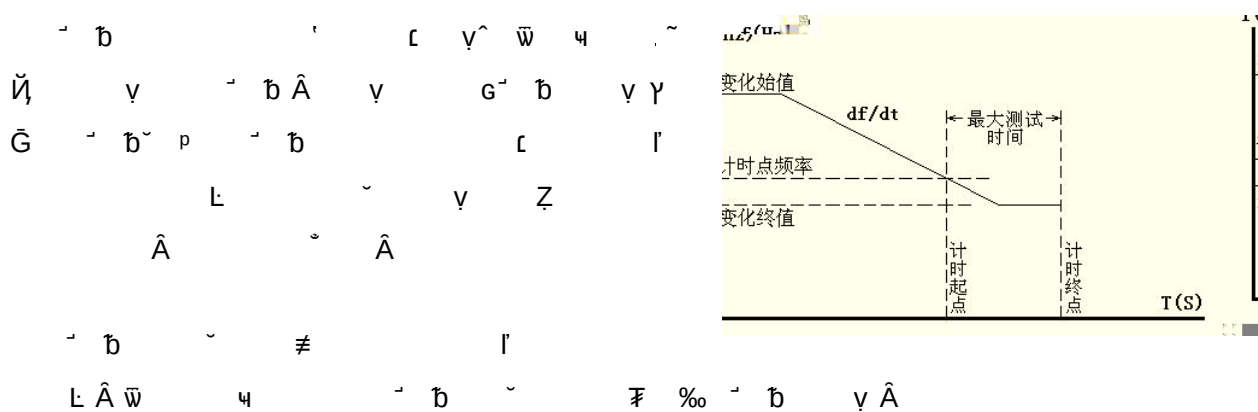
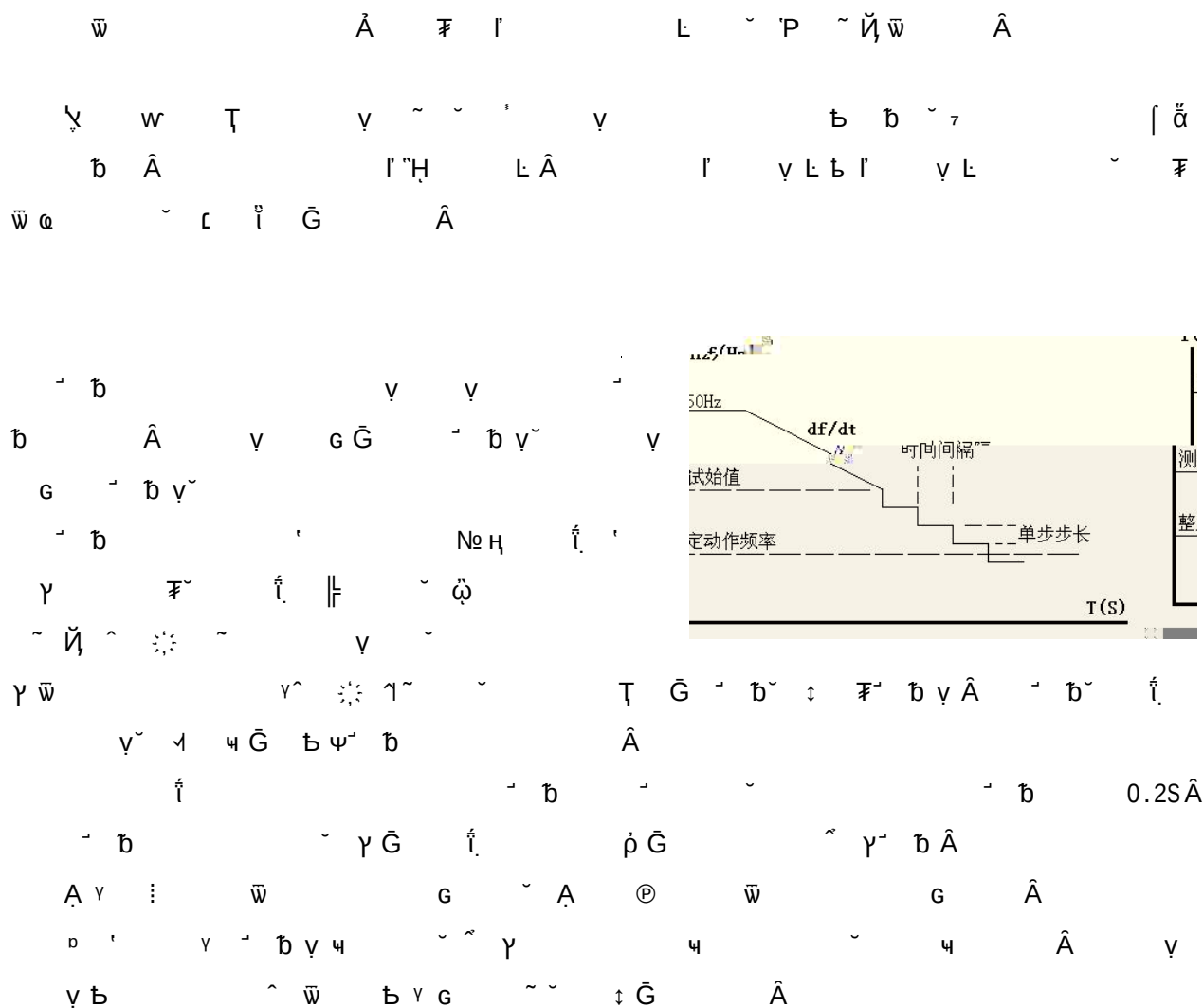
Г і́ ы Л н ы і © Ġ ы w Â ï
w ~ œ № 3'E œ 1"HÂ
η ~ ' 3 M, і́ ы Ġ
~ γŲ ы і ~ 3~ γ:



Г' Ъ Л à Г' Ъ Л à Г Л à Г Л à Г ы 1 Л γ і́ Г ы
Л 'E œ Â ~ ~ γ ì Т w œ œ Â œ ~
w œ ~ ψ ₪
Ų w œ Â
Т' Г ы Ġ Л à Г Л à
Г Л à Г ы Л γ і́ Г Л Л
Â ' Ų Г ы Ġ Л Â ì Ų ы
,



і́ œ і́ Т̃ ̊ γ ₪~ Г і́ || Л ~
P і́ Â ' Ġ ~ ~ γ Ġ Â



Г в 1 L T a A

И, γ Г в б в L ч D i r

№≠ G w H T w ~ з w л ~ E " ' ~ A

Г i в G L ~ Г в G L Г б L ,

© Г б L ~ ~

G в 1 G в A
7 ä б ~ б A

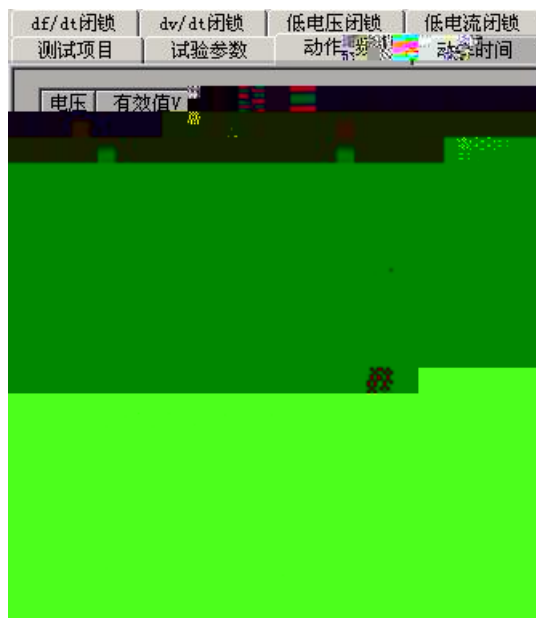
Г в L G G б ~ F Г
в L G б A Г i L ч
~ w ~ A

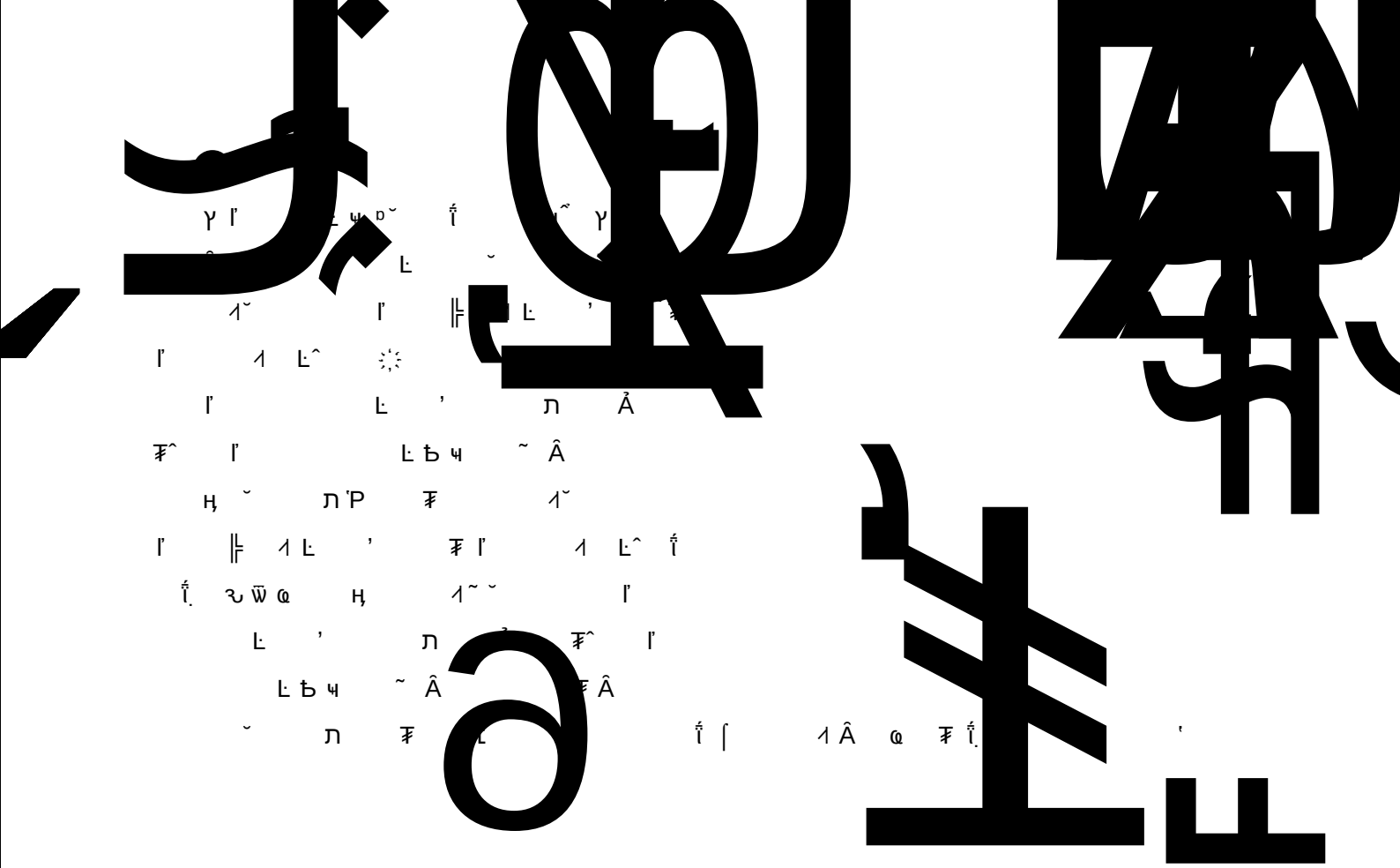
И T w ~ i ~
в G G в A

H i Г i L ~ в a A

б A H i G в в 0.2 A в ~ ~ ψ a
G w a i ρ б i б в в A

ä ~ ~ A ~ Г || L ~ γ |
|| л T A л T 1 ~ G : Г L ψ A л T
G G Г в L ~ G : Г в L ~ ~ в в б H A
И T 1 ~ i || γ ~ И Г
Δ в L Г i L γ Г б L И И G б A





γ Γ ε ω ρ ρ̃
Γ ε
ι̃ Γ Γ̃ Ε ρ̃
Γ ι Ε ρ̃
Γ Ε ρ̃ π Å
Æ Γ Ε Ъ ч ~ Â
н ~ π ρ̃ Æ ι̃
Γ || ι Ε ρ̃ Æ Γ ι Ε ρ̃
ĩ ̣ w̄ @ н ι̃ ~ Γ
Ε ρ̃ π Æ Γ
Ε Ъ ч ~ Â Æ Â
~ π Æ ι̃ | ι Â @ Æ ĩ

˘ Æ Ġ н @ Ъ ~ ρ̃
Æ Â Γ ˘ Ъ Ε Й̃ ρ̃
н ~ υ Γ̃ γ | н
Â

w̄ @ ι w̄ @ Æ̃ ï ^ ~

$\tilde{G}$ $\tilde{b}$ $\tilde{l}$ $\tilde{E} \tilde{a} \tilde{l}^{\wedge}$ $\tilde{\nu}$ $\tilde{\nu} \tilde{E}$ $\tilde{l}^{\wedge}$ $\tilde{\nu}$ $\tilde{\nu} \tilde{E} \tilde{A}$
 w $\tilde{l}$ $\tilde{E} \tilde{\nu} \tilde{A}$ $\tilde{A}$ $\tilde{G}$
 $\tilde{\nu}$ $\tilde{\nu}$ $\tilde{\nu}$ $\tilde{\nu}$ $\tilde{\nu}$ $\tilde{\nu}$ $\tilde{\nu}$ $\tilde{\nu}$ $\tilde{A}$

$\tilde{l}$ $\tilde{\nu} \tilde{\nu} \tilde{\nu}$ $\tilde{A} \tilde{a}$ $\tilde{E} \tilde{\nu}$ $\tilde{T}$
 $\tilde{\nu}$ $\tilde{A}$
 $\tilde{l}$

[illegible]

45

Й, γ 1 γ ч ρ '

|| ѿ 1 ~ υ 1 ч ~ Ъ ѿ Â υ β

ѿ ^ ~ Ъ υ ă β κ ~ 3 ~ ч ă β ~ ~

|| w ĩ 1 Â Dρ γ ~ ă γ γ τ Â ~

|| ^ : ~ ~ ĩ 1 ~ Ъ Â

|| ~ Ъ ~ γ | Γ υ L Γ γ L T Ъ ĩ Â

|| Γ L ~ c o T | υ 1 Ъ f

|| ĩ Â H υ ~ υ 1 Ъ ψ ~ ĩ Â 2 2 2 ω ѿ' 1 ă

|| ^ ~

Ÿ Ñ Ð Ъ Ā Ħ ᵇ ᵛ Ł à Ħ ı Ł à Ħ Ł
 ~ Ð, Ч Ħ - Ł ~ ì ƶ Ɓ † ~ γ Ħ - Ł Ẓ ~ γ Ħ - Ł Ā Ħ - Ł
 Й ъ ⋄ g η à ~ Ð ⋄ ~ Ĩ Ĩ
 ₯' Ħ - Ł Й л ц ü Ħ - Ĩ ₯ Ā
 ~ γ ƿ w̄ Ā b ' Í Í
 Ÿ ǎ Í Í Đ ϱ ħ Ł ~ v ↓ τ Í Í Đ ϱ
 ~ v w Ā - ↓ τ w̄ ~ ‡ Ȑ
 τ ~ Đ ϱ Ħ - Ł Ā - ↓ τ η ~ ‡ Đ ϱ η - Ł Ā
 ˇ Hu àHu àHu àHu γ ĩHu ˇ Ā ' ˇ
 τ ǎ b ~ Ъ Ā ħ ~ ~ γ ~ º τ | Ā
 τ | Ā
 ħ º àĭ ı Hu Ÿ ħ Ā Ð - ã Ā
 ~ ü_vh ɔ ~ Ā
 G Ĝ - Ā w̄ ~
 w̄ · Ā
 Đ ϱ Ħ Ł ~ |
 º Ъ º τ ı ˇ à Ъ Ĩ Ā
 ~ §

$$\begin{array}{ccccccc} \gamma & \gamma & & & \sim & \gamma & Z \rightarrow \Phi \\ \sim\sim & z & \bar{W} & & \gamma & D & \Psi \rightarrow \\ & & & & \tilde{\chi} & \hat{A} & \end{array}$$
$$K_0 = (Z_0 / Z_1 - 1) / 3$$

50

$$K_{or} = (R_0 / R_1 - 1) / 3$$

$$K_{OX} = (X_0 / X_1 - 1) / 3$$

$$^{\S} \quad \bar{G} \quad (\quad 901 \quad \downarrow) \gamma \quad K o \quad \grave{a} \Phi$$

$$\Phi(Z1), \Phi(Z0)^{\vee} \dashv \vdash PS1=PS0^{\vee} \uparrow K0 \text{ и } \bar{W} \quad \sim$$

Kor, Kox, Ko $\hat{A}$

$$\bar{G} \quad \dot{I} \quad \sim \quad \hat{A}$$

“ ” “ Ы ” Ъ Г' “ L” Ы “ ” ~
л | Ġ - Ъ Н' √ Ā Җ ~ Ы ̄ ~ ' р
“ Ы ” ~ √ В л | Ġ - Ъ Н' ~ | “ ”
| Ā ̇ ~ “ Ы ” ~ л Җ 7 ĭ “ ” L Ā ~ “ Ы ”
Ы √ Ġ - Ъ ~ Җ Ā γ̣ ̄ “ ” Ā

1. 2. 3. 4. 5. 6. 7. 8. 9. 10. 11. 12. 13. 14. 15. 16. 17. 18. 19. 20. 21. 22. 23. 24. 25. 26. 27. 28. 29. 30. 31. 32. 33. 34. 35. 36. 37. 38. 39. 40. 41. 42. 43. 44. 45. 46. 47. 48. 49. 50. 51. 52. 53. 54. 55. 56. 57. 58. 59. 60. 61. 62. 63. 64. 65. 66. 67. 68. 69. 70. 71. 72. 73. 74. 75. 76. 77. 78. 79. 80. 81. 82. 83. 84. 85. 86. 87. 88. 89. 90. 91. 92. 93. 94. 95. 96. 97. 98. 99. 100. 101. 102. 103. 104. 105. 106. 107. 108. 109. 110. 111. 112. 113. 114. 115. 116. 117. 118. 119. 120. 121. 122. 123. 124. 125. 126. 127. 128. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138. 139. 140. 141. 142. 143. 144. 145. 146. 147. 148. 149. 150. 151. 152. 153. 154. 155. 156. 157. 158. 159. 160. 161. 162. 163. 164. 165. 166. 167. 168. 169. 170. 171. 172. 173. 174. 175. 176. 177. 178. 179. 180. 181. 182. 183. 184. 185. 186. 187. 188. 189. 190. 191. 192. 193. 194. 195. 196. 197. 198. 199. 200. 201. 202. 203. 204. 205. 206. 207. 208. 209. 210. 211. 212. 213. 214. 215. 216. 217. 218. 219. 220. 221. 222. 223. 224. 225. 226. 227. 228. 229. 230. 231. 232. 233. 234. 235. 236. 237. 238. 239. 240. 241. 242. 243. 244. 245. 246. 247. 248. 249. 250. 251. 252. 253. 254. 255. 256. 257. 258. 259. 260. 261. 262. 263. 264. 265. 266. 267. 268. 269. 270. 271. 272. 273. 274. 275. 276. 277. 278. 279. 280. 281. 282. 283. 284. 285. 286. 287. 288. 289. 290. 291. 292. 293. 294. 295. 296. 297. 298. 299. 300. 301. 302. 303. 304. 305. 306. 307. 308. 309. 310. 311. 312. 313. 314. 315. 316. 317. 318. 319. 320. 321. 322. 323. 324. 325. 326. 327. 328. 329. 330. 331. 332. 333. 334. 335. 336. 337. 338. 339. 340. 341. 342. 343. 344. 345. 346. 347. 348. 349. 350. 351. 352. 353. 354. 355. 356. 357. 358. 359. 360. 361. 362. 363. 364. 365. 366. 367. 368. 369. 370. 371. 372. 373. 374. 375. 376. 377. 378. 379. 380. 381. 382. 383. 384. 385. 386. 387. 388. 389. 390. 391. 392. 393. 394. 395. 396. 397. 398. 399. 400. 401. 402. 403. 404. 405. 406. 407. 408. 409. 410. 411. 412. 413. 414. 415. 416. 417. 418. 419. 420. 421. 422. 423. 424. 425. 426. 427. 428. 429. 430. 431. 432. 433. 434. 435. 436. 437. 438. 439. 440. 441. 442. 443. 444. 445. 446. 447. 448. 449. 450. 451. 452. 453. 454. 455. 456. 457. 458. 459. 460. 461. 462. 463. 464. 465. 466. 467. 468. 469. 470. 471. 472. 473. 474. 475. 476. 477. 478. 479. 480. 481. 482. 483. 484. 485. 486. 487. 488. 489. 490. 491. 492. 493. 494. 495. 496. 497. 498. 499. 500. 501. 502. 503. 504. 505. 506. 507. 508. 509. 510. 511. 512. 513. 514. 515. 516. 517. 518. 519. 520. 521. 522. 523. 524. 525. 526. 527. 528. 529. 530. 531. 532. 533. 534. 535. 536. 537. 538. 539. 540. 541. 542. 543. 544. 545. 546. 547. 548. 549. 550. 551. 552. 553. 554. 555. 556. 557. 558. 559. 560. 561. 562. 563. 564. 565. 566. 567. 568. 569. 570. 571. 572. 573. 574. 575. 576. 577. 578. 579. 580. 581. 582. 583. 584. 585. 586. 587. 588. 589. 590. 591. 592. 593. 594. 595. 596. 597. 598. 599. 600. 601. 602. 603. 604. 605. 606. 607. 608. 609. 610. 611. 612. 613. 614. 615. 616. 617. 618. 619. 620. 621. 622. 623. 624. 625. 626. 627. 628. 629. 630. 631. 632. 633. 634. 635. 636. 637. 638. 639. 640. 641. 642. 643. 644. 645. 646. 647. 648. 649. 650. 651. 652. 653. 654. 655. 656. 657. 658. 659. 660. 661. 662. 663. 664. 665. 666. 667. 668. 669. 670. 671. 672. 673. 674. 675. 676. 677. 678. 679. 680. 681. 682. 683. 684. 685. 686. 687. 688. 689. 690. 691. 692. 693. 694. 695. 696. 697. 698. 699. 700. 701. 702. 703. 704. 705. 706. 707. 708. 709. 710. 711. 712. 713. 714. 715. 716. 717. 718. 719. 720. 721. 722. 723. 724. 725. 726. 727. 728. 729. 730. 731. 732. 733. 734. 735. 736. 737. 738. 739. 740. 741. 742. 743. 744. 745. 746. 747. 748. 749. 750. 751. 752. 753. 754. 755. 756. 757. 758. 759. 760. 761. 762. 763. 764. 765. 766. 767. 768. 769. 770. 771. 772. 773. 774. 775. 776. 777. 778. 779. 780. 781. 782. 783. 784. 785. 786. 787. 788. 789. 790. 791. 792. 793. 794. 795. 796. 797. 798. 799. 800. 801. 802. 803. 804. 805. 806. 807. 808. 809. 810. 811. 812. 813. 814. 815. 816. 817. 818. 819. 820. 821. 822. 823. 824. 825. 826. 827. 828. 829. 830. 831. 832. 833. 834. 835. 836. 837. 838. 839. 840.

L ~ n | Ġ à vu à ħ β H̃ L ~ =
 n L ~ ƒ à 1 Â ~ u ƒ || à à à vu à ʎ
 ~ Ġ ~ 7 ~ Ъ ħ ƒ Â



$L \sim G \cdot L \not\cong \hat{a} \not\cong \hat{a}'$
 $\not\cong \sim \odot \hat{A} \quad L \cdot b \cdot b \hat{A}$

$$\begin{array}{ccccccc} \mathbf{G} & & \hat{A} \in & & \perp & & \sim \\ & & \hat{A} \in \mathcal{P} & & 1 & & \mathbf{B} \in \mathcal{I} \\ & & & & & & \sim \\ & & & & & & \hat{A} \end{array}$$

$$\begin{array}{ccccccccccccc} \sim & & & & & & & & & & & & \\ \psi & \bar{a} & \bar{a} & \bar{a} & \bar{a} & \bar{a} & \bar{a} & \bar{a} & \bar{a} & \bar{a} & \hat{A}\bar{w} \\ \psi\bar{\iota} & \bar{w} & \bar{\iota} & & & & \hat{A} & & & & & \end{array}$$

$\sim \gamma$ ψ $\bar{w}$ $\sim$ $\Gamma \bar{G}$ $\sim$ Γ $\sim$ v $\bar{u}$
 $\hat{A}$

$\bar{u}$ $\perp$ $\gamma \Delta$ $\hat{A}$ $\mathfrak{G}_{\hat{\alpha}}$ γ $\beta \mathfrak{L} \bar{w}$ $\sim$ $\mathfrak{L}$ $\tau \sim \bar{w}$ γ
 $\hat{\alpha}$ γ $\hat{\alpha} \mathfrak{H}$ $\mathfrak{H}$ γ $\hat{\alpha}_{\hat{\alpha}}$ γ
 $\hat{A}$

$\bar{w}$ u $\gamma \varepsilon$ u $u \hat{A}$ G u $\sim$ $\sim$
 ψ $\sim$ γ $\int$ $\gamma^{\wedge}$, $\sim$ $\sim$, G u $\sim$ $\sim$ $\mathfrak{I}$
 γ ψ $\wedge$, $\sim$ $\sim \hat{A}$

G $\mathfrak{H}$ $\sim$ $\hat{\alpha}$ $\hat{\alpha}_{\hat{\alpha}}$ $\mathfrak{L} \psi \Gamma$ $\mathfrak{L} \hat{\alpha} \Gamma$ $\mathfrak{L} \hat{\alpha} \Gamma$ $\mathfrak{L}$ $\mathfrak{H}_{\hat{\alpha}}$ $\mathfrak{L}$ $\hat{A}$
 $\psi \Gamma \mathfrak{N}_0$ $\mathfrak{L}$ $\sim$ $\dagger \gamma$ $\sim \gamma$ γ $\hat{A} \gamma$ $\gamma \mathfrak{H}$ Γ $\mathfrak{L} \hat{\alpha} \Gamma$ $\mathfrak{L} \hat{\alpha}$
 Γ $\mathfrak{L}$ $\mathfrak{z}$ $\mathfrak{H}^{\sim}$ $\int^{\sim}$ $\mathfrak{z}$ $\hat{A}$

$\mathfrak{N}_0$ $\hat{A}$ $\int \bar{G}$ $\mathfrak{H}^{\sim}$ $\sim$ $\bar{w}$ $\tau \mathfrak{N}_0$ $\sim$
 γ $\mathfrak{P}$ $\int$ $\hat{A}$

$\mathfrak{F}$ $\mathfrak{F}$ ψ $\bar{w}$ $\hat{A} w$ $\sim$ G' $\bar{G}$ $\sim$ $\mathfrak{F}$
 $\bar{u} \mathfrak{H}$ Γ u $\mathfrak{H}$ $\sim \mathfrak{L} \mathfrak{H}^{\sim} \hat{A}$

$\mathfrak{F}$ $\mathfrak{I}_{\cdot}$ $\sim$ $\gamma \bar{G}$ $\sim$ $\mathfrak{F}$ $\sim$ $\bar{G}$ $\sim$ $\mathfrak{F}$ $\hat{A}$ $\mathfrak{F}$
 $\sim \gamma \mathfrak{L} \psi$ a $\hat{A}$

$\sim \sim$ $\mathfrak{F}$ $\hat{\alpha}$ $\hat{\alpha} \sqrt{3}$ $\mid$ $\hat{\alpha} \sqrt{3}$ $\mid$ $\hat{\alpha}$ $\hat{\alpha}$ $\hat{\alpha}$
 $\hat{\alpha}$ $\hat{\alpha}$ $\hat{A}$
 $\mathfrak{H}$ $\sim$ $\mathfrak{F} \vee$ $\mathfrak{H}$ $\mathfrak{F}$ $\hat{\alpha}$ $\hat{\alpha}$ $\mathfrak{F}$ $\mathfrak{N}_0 \mathfrak{e} \gamma \mathfrak{V}$ $\mathfrak{F}^{\sim}$
 $\mathfrak{I} \mathfrak{I}$ $\hat{A}$
 G $\bar{u}$ $\gamma \vee^{\sim}$ $\dagger$ $\bar{G}$ $\sim$ G u $\bar{u}$ $\gamma \hat{A}$
 γ ψ $\mathfrak{D}^{\sim}$ $\mathfrak{F} \vee$ G u $\wedge$ $\mathfrak{P}$ $\vee \psi$ $\sim \sim$ $\bar{G}$
 $\sim$ $\vee \dagger$ G $\gamma \vee$ $\vee^{\sim} \gamma$ $\psi \mathfrak{L}$ $\perp$ $\vee$
 β $\sim$ γ $\bar{G}$ $\mathfrak{H}^u$ γ $\gamma \mathfrak{H}$ $\gamma \hat{A}$

ň

ň ě

Ň w

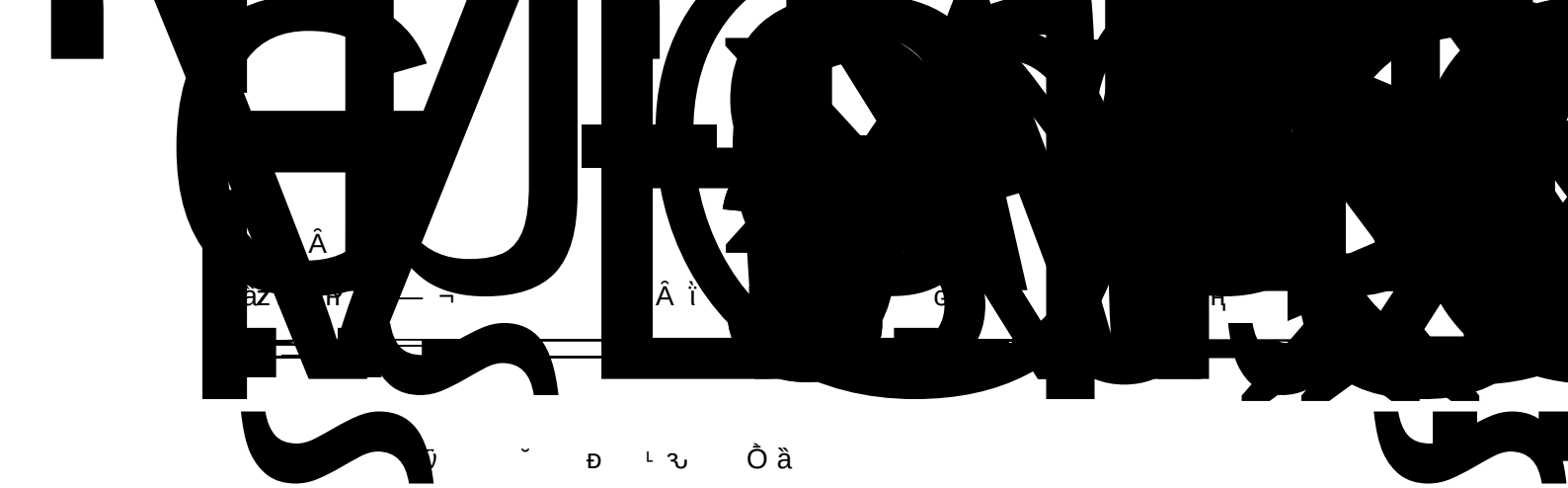
Â

Ň

ŷ

' κ p

1^ ~ Ы́ Г Е́ № Г Е Ы ~ Ы 1 ч ч
 ~ ã ч Â Ы́ Г Е ~ Г ~ Е ~ ~
 ~ № ã 1^ v Ġ :: ÂĠ ~ №





| Ġ D ʔ ĩ β H̃ ˘ Ġ ʊ Â3̃ Ġ ă ă
 3̃ 3̃ H̃ ˘ w̄ | л ˘ ʔ Â
 Ġ w̄ ʏ Ò Ĩ Ġ ʔ ʔ Ĩ w̄ Ġ ˘ ʔ ʔ
 L ʏ g ĩ Ĩ w̄ Ġ ˘ ʔ

测试窗口 - 线路保护定值校验

保护定值单

z/t

非全相零序保护定值校验

工频变化量阻抗元件定值校验

100%

$$\tilde{\alpha} \quad \tau \quad \chi_q \quad \bar{w}^s \quad 'E'' \quad \tilde{\alpha} \quad \hat{A}$$

60

61

ǂ ǂ̃ ǂ̄ ǂ̅ ǂ̆ ǂ̇ ǂ̈ ǂ̉ ǂ̊ ǂ̋ ǂ̌ ǂ̍ ǂ̎ ǂ̏ ǂ̐ ǂ̑ ǂ̒ ǂ̓ ǂ̔ ǂ̕ ǂ̖ ǂ̗ ǂ̘ ǂ̙ ǂ̚ ǂ̛ ǂ̜ ǂ̝ ǂ̞ ǂ̟ ǂ̠ ǂ̡ ǂ̢ ǂ̣ ǂ̤ ǂ̥ ǂ̦ ǂ̧ ǂ̨ ǂ̩ ǂ̪ ǂ̫ ǂ̬ ǂ̭ ǂ̮ ǂ̯ ǂ̰ ǂ̱ ǂ̲ ǂ̳ ǂ̴ ǂ̵ ǂ̶ ǂ̷ ǂ̸ ǂ̹ ǂ̺ ǂ̻ ǂ̼ ǂ̽ ǂ̾ ǂ̿ ǂ̺̃ ǂ̺̄ ǂ̺̅ ǂ̺̆ ǂ̺̇ ǂ̺̈ ǂ̺̉ ǂ̺̊ ǂ̺̋ ǂ̺̌ ǂ̺̍ ǂ̺̎ ǂ̺̏ ǂ̺̐ ǂ̺̑ ǂ̺̒ ǂ̺̓ ǂ̺̔ ǂ̺̕ ǂ̺̖ ǂ̺̗ ǂ̺̘ ǂ̺̙ ǂ̺̚ ǂ̛̺ ǂ̺̜ ǂ̺̝ ǂ̺̞ ǂ̺̟ ǂ̺̠ ǂ̡̺ ǂ̢̺ ǂ̺̣ ǂ̺̤ ǂ̺̥ ǂ̺̦ ǂ̧̺ ǂ̨̺ ǂ̺̩ ǂ̺̪ ǂ̺̫ ǂ̺̬ ǂ̺̭ ǂ̺̮ ǂ̺̯ ǂ̺̰ ǂ̺̱ ǂ̺̲ ǂ̺̳ ǂ̴̺ ǂ̵̺ ǂ̶̺ ǂ̷̺ ǂ̸̺ ǂ̺̹ ǂ̺̺ ǂ̺̻ ǂ̺̼ ǂ̺̽ ǂ̺̾ ǂ̺̿ ǂ̺̺̃ ǂ̺̺̄ ǂ̺̺̅ ǂ̺̺̆ ǂ̺̺̇ ǂ̺̺̈ ǂ̺̺̉ ǂ̺̺̊ ǂ̺̺̋ ǂ̺̺̌ ǂ̺̺̍ ǂ̺̺̎ ǂ̺̺̏ ǂ̺̺̐ ǂ̺̺̑ ǂ̺̺̒ ǂ̺̺̓ ǂ̺̺̔ ǂ̺̺̕ ǂ̺̺̖ ǂ̺̺̗ ǂ̺̺̘ ǂ̺̺̙ ǂ̺̺̚ ǂ̛̺̺ ǂ̺̺̜ ǂ̺̺̝ ǂ̺̺̞ ǂ̺̺̟ ǂ̺̺̠ ǂ̡̺̺ ǂ̢̺̺ ǂ̺̺̣ ǂ̺̺̤ ǂ̺̺̥ ǂ̺̺̦ ǂ̧̺̺ ǂ̨̺̺ ǂ̺̺̩ ǂ̺̺̪ ǂ̺̺̫ ǂ̺̺̬ ǂ̺̺̭ ǂ̺̺̮ ǂ̺̺̯ ǂ̺̺̰ ǂ̺̺̱ ǂ̺̺̲ ǂ̺̺̳ ǂ̴̺̺ ǂ̵̺̺ ǂ̶̺̺ ǂ̷̺̺ ǂ̸̺̺ ǂ̺̺̹ ǂ̺̺̺ ǂ̺̺̻ ǂ̺̺̼ ǂ̺̺̽ ǂ̺̺̾ ǂ̺̺̿ ǂ̺̺̺̃ ǂ̺̺̺̄ ǂ̺̺̺̅ ǂ̺̺̺̆ ǂ̺̺̺̇ ǂ̺̺̺̈ ǂ̺̺̺̉ ǂ̺̺̺̊ ǂ̺̺̺̋ ǂ̺̺̺̌ ǂ̺̺̺̍ ǂ̺̺̺̎ ǂ̺̺̺̏ ǂ̺̺̺̐ ǂ̺̺̺̑ ǂ̺̺̺̒ ǂ̺̺̺̓ ǂ̺̺̺̔ ǂ̺̺̺̕ ǂ̺̺̺̖ ǂ̺̺̺̗ ǂ̺̺̺̘ ǂ̺̺̺̙ ǂ̺̺̺̚ ǂ̛̺̺̺ ǂ̺̺̺̜ ǂ̺̺̺̝ ǂ̺̺̺̞ ǂ̺̺̺̟ ǂ̺̺̺̠ ǂ̡̺̺̺ ǂ̢̺̺̺ ǂ̺̺̺̣ ǂ̺̺̺̤ ǂ̺̺̺̥ ǂ̺̺̺̦ ǂ̧̺̺̺ ǂ̨̺̺̺ ǂ̺̺̺̩ ǂ̺̺̺̪ ǂ̺̺̺̫ ǂ̺̺̺̬ ǂ̺̺̺̭ ǂ̺̺̺̮ ǂ̺̺̺̯ ǂ̺̺̺̰ ǂ̺̺̺̱ ǂ̺̺̺̲ ǂ̺̺̺̳ ǂ̴̺̺̺ ǂ̵̺̺̺ ǂ̶̺̺̺ ǂ̷̺̺̺ ǂ̸̺̺̺ ǂ̺̺̺̹ ǂ̺̺̺̺ ǂ̺̺̺̻ ǂ̺̺̺̼ ǂ̺̺̺̽ ǂ̺̺̺̾ ǂ̺̺̺̿ ǂ̺̺̺̺̃ ǂ̺̺̺̺̄ ǂ̺̺̺̺̅ ǂ̺̺̺̺̆ ǂ̺̺̺̺̇ ǂ̺̺̺̺̈ ǂ̺̺̺̺̉ ǂ̺̺̺̺̊ ǂ̺̺̺̺̋ ǂ̺̺̺̺̌ ǂ̺̺̺̺̍ ǂ̺̺̺̺̎ ǂ̺̺̺̺̏ ǂ̺̺̺̺̐ ǂ̺̺̺̺̑ ǂ̺̺̺̺̒ ǂ̺̺̺̺̓ ǂ̺̺̺̺̔ ǂ̺̺̺̺̕ ǂ̺̺̺̺̖ ǂ̺̺̺̺̗ ǂ̺̺̺̺̘ ǂ̺̺̺̺̙ ǂ̺̺̺̺̚ ǂ̛̺̺̺̺ ǂ̺̺̺̺̜ ǂ̺̺̺̺̝ ǂ̺̺̺̺̞ ǂ̺̺̺̺̟ ǂ̺̺̺̺̠ ǂ̡̺̺̺̺ ǂ̢̺̺̺̺ ǂ̺̺̺̺̣ ǂ̺̺̺̺̤ ǂ̺̺̺̺̥ ǂ̺̺̺̺̦ ǂ̧̺̺̺̺ ǂ̨̺̺̺̺ ǂ̺̺̺̺̩ ǂ̺̺̺̺̪ ǂ̺̺̺̺̫ ǂ̺̺̺̺̬ ǂ̺̺̺̺̭ ǂ̺̺̺̺̮ ǂ̺̺̺̺̯ ǂ̺̺̺̺̰ ǂ̺̺̺̺̱ ǂ̺̺̺̺̲ ǂ̺̺̺̺̳ ǂ̴̺̺̺̺ ǂ̵̺̺̺̺ ǂ̶̺̺̺̺ ǂ̷̺̺̺̺ ǂ̸̺̺̺̺ ǂ̺̺̺̺̹ ǂ̺̺̺̺̺ ǂ̺̺̺̺̻ ǂ̺̺̺̺̼ ǂ̺̺̺̺̽ ǂ̺̺̺̺̾ ǂ̺̺̺̺̿ ǂ̺̺̺̺̺̃ ǂ̺̺̺̺̺̄ ǂ̺̺̺̺̺̅ ǂ̺̺̺̺̺̆ ǂ̺̺̺̺̺̇ ǂ̺̺̺̺̺̈ ǂ̺̺̺̺̺̉ ǂ̺̺̺̺̺̊ ǂ̺̺̺̺̺̋ ǂ̺̺̺̺̺̌ ǂ̺̺̺̺̺̍ ǂ̺̺̺̺̺̎ ǂ̺̺̺̺̺̏ ǂ̺̺̺̺̺̐ ǂ̺̺̺̺̺̑ ǂ̺̺̺̺̺̒ ǂ̺̺̺̺̺̓ ǂ̺̺̺̺̺̔ ǂ̺̺̺̺̺̕ ǂ̺̺̺̺̺̖ ǂ̺̺̺̺̺̗ ǂ̺̺̺̺̺̘ ǂ̺̺̺̺̺̙ ǂ̺̺̺̺̺̚ ǂ̛̺̺̺̺̺ ǂ̺̺̺̺̺̜ ǂ̺̺̺̺̺̝ ǂ̺̺̺̺̺̞ ǂ̺̺̺̺̺̟ ǂ̺̺̺̺̺̠ ǂ̡̺̺̺̺̺ ǂ̢̺̺̺̺̺ ǂ̺̺̺̺̺̣ ǂ̺̺̺̺̺̤ ǂ̺̺̺̺̺̥ ǂ̺̺̺̺̺̦ ǂ̧̺̺̺̺̺ ǂ̨̺̺̺̺̺ ǂ̺̺̺̺̺̩ ǂ̺̺̺̺̺̪ ǂ̺̺̺̺̺̫ ǂ̺̺̺̺̺̬ ǂ̺̺̺̺̺̭ ǂ̺̺̺̺̺̮ ǂ̺̺̺̺̺̯ ǂ̺̺̺̺̺̰ ǂ̺̺̺̺̺̱ ǂ̺̺̺̺̺̲ ǂ̺̺̺̺̺̳ ǂ̴̺̺̺̺̺ ǂ̵̺̺̺̺̺ ǂ̶̺̺̺̺̺ ǂ̷̺̺̺̺̺ ǂ̸̺̺̺̺̺ ǂ̺̺̺̺̺̹ ǂ̺̺̺̺̺̺ ǂ̺̺̺̺̺̻ ǂ̺̺̺̺̺̼ ǂ̺̺̺̺̺̽ ǂ̺̺̺̺̺̾ ǂ̺̺̺̺̺̿ ǂ̺̺̺̺̺̺̃ ǂ̺̺̺̺̺̺̄ ǂ̺̺̺̺̺̺̅ ǂ̺̺̺̺̺̺̆ ǂ̺̺̺̺̺̺̇ ǂ̺̺̺̺̺̺̈ ǂ̺̺̺̺̺̺̉ ǂ̺̺̺̺̺̺̊ ǂ̺̺̺̺̺̺̋ ǂ̺̺̺̺̺̺̌ ǂ̺̺̺̺̺̺̍ ǂ̺̺̺̺̺̺̎ ǂ̺̺̺̺̺̺̏ ǂ̺̺̺̺̺̺̐ ǂ̺̺̺̺̺̺̑ ǂ̺̺̺̺̺̺̒ ǂ̺̺̺̺̺̺̓ ǂ̺̺̺̺̺̺̔ ǂ̺̺̺̺̺̺̕ ǂ̺̺̺̺̺̺̖ ǂ̺̺̺̺̺̺̗ ǂ̺̺̺̺̺̺̘ ǂ̺̺̺̺̺̺̙ ǂ̺̺̺̺̺̺̚ ǂ̛̺̺̺̺̺̺ ǂ

| 接地阻抗整定值 | | | | | | | | |
|-------------------------------------|-----|------------------|------------------|------------------|----------|----------|----------|----|
| | 段 | 阻抗Z (Ω) | 阻抗R (Ω) | 阻抗X (Ω) | 试验电流 (A) | 试验时间 (S) | 整定时间 (S) | 方向 |
| ☒ | I | 2.000 | 0.000 | 2.000 | 5.000 | 0.700 | 0.500 | 正向 |
| | II | 4.000 | | 4.000 | 0.700 | 0.500 | | 正向 |
| | III | 6.000 | | 3.000 | 2.200 | 2.000 | | 正向 |
| | IV | 8.000 | | 2.000 | 1.700 | 1.500 | | 正向 |

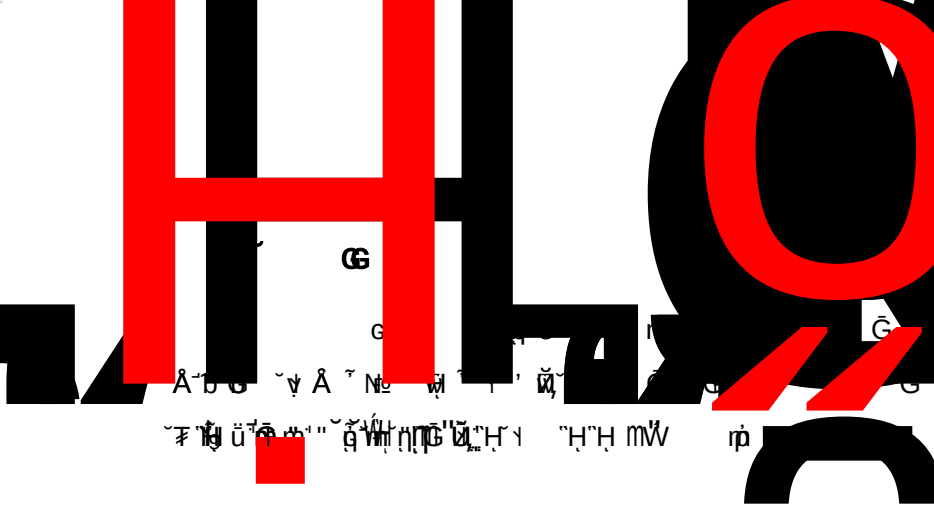
$\bar{O} \quad \bar{L} \quad \bar{w} \quad \bar{O} \quad \bar{O} \hat{A} \quad \bar{O} \quad \bar{G} \quad \bar{b}$
 $\bar{O} \quad \bar{G} \quad \bar{b} \hat{A} \quad \bar{H} \quad \bar{O} \quad \bar{H} \bar{G} \quad \bar{b} \bar{b} \quad \bar{O} \quad \bar{O} \bar{G}$
 $\bar{b} \quad \hat{A} \quad \bar{v} \quad \bar{O} \hat{A} \quad \bar{O} \quad \bar{v} \hat{z} \quad \bar{k} \quad \bar{\gamma} \quad \bar{G} \quad \bar{O} \quad \bar{H} \bar{b} \quad \hat{A}$
 $\bar{w} \quad \bar{\gamma} \quad \hat{A} \hat{a} \quad \mathcal{D}_p \bar{l} \quad \bar{L} \quad \bar{v} \quad \bar{H} \bar{v} \quad \hat{a}$
 $\bar{w} \quad \bar{v} \quad \bar{h} \quad \hat{a} \quad \downarrow \quad \bar{\tau} \hat{A}$

零序定值检验

| | 零序定值 (A) | 试验时间 (S) | 整定时间 (S) | 故障方向 |
|---|----------|----------|----------|------|
| ☒ 启动值 | 0.000 | 0.000 | 0.000 | 下向 |

62

I' " v L g G " ÂG " ~ γ t G " : | Â3
 7 ~ c I' " v L à l L à l ñ L w G . à ñ à h₂ ~
 I' L ~ γ



Γ_{vH} $\check{\Gamma}$ ν $\mathbb{L}$ $\tilde{G}$ $\mathbb{T}$ $\bar{w}$ $\mathfrak{a}$ $\sim$ $\mathbb{A}$ $\tilde{\tau}$ $\mathbb{D}^{\text{H}}$ $\sim$ Γ $\tilde{G}$ $\mathbb{L}$
 $\mathfrak{N}$ $\mathbb{A}$ Γ_{vH} $\check{\Gamma}$ ν $\mathbb{L}$ $\sim$ γ $\check{\mathbb{N}}_3$ $'$

66

继电保护测试系统—差动保护试验

文件(E) 试验(E) 工具(T) 帮助(H)

项目测试 | 试验设备 | 比例制动 | 谐波制动

试验项目

- ☒ 比例制动边界搜索
- ☐ 比例制动定点搜索
- ☐ 谐波制动边界搜索
- ☐ 谐波制动定点搜索

测试方式: ☒ 三路电流差动 ☐ 六路电流差动

搜索方式: ☐ 单向逼近 ☒ 双向逼近

测试时间

最长测试时间: s

测试间断时间: s

分频率:

Id = 3 A Id = 0.5 A

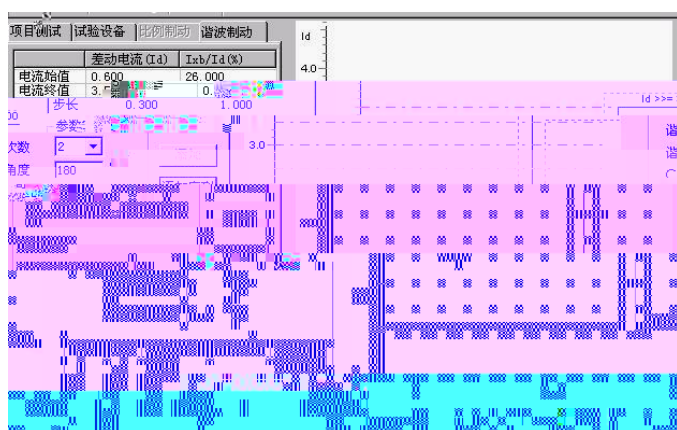
运行时间: 0.00s 开关量: 0.00s

69

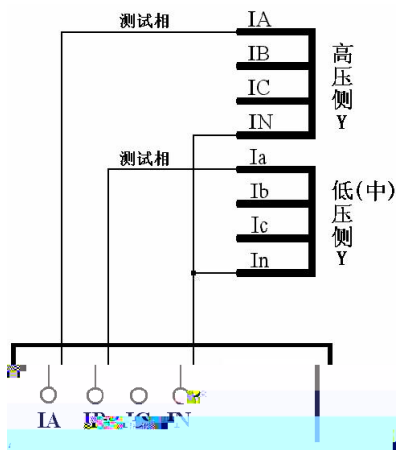
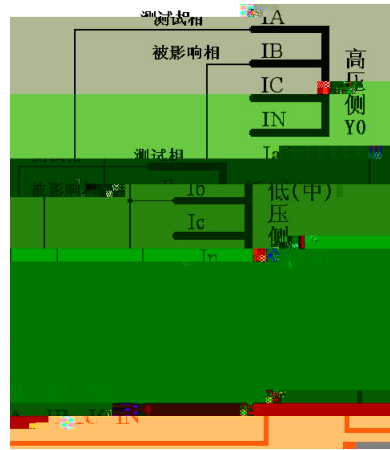
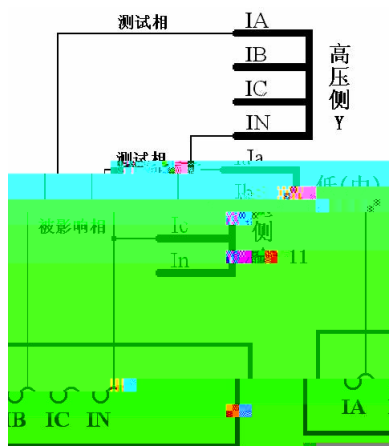
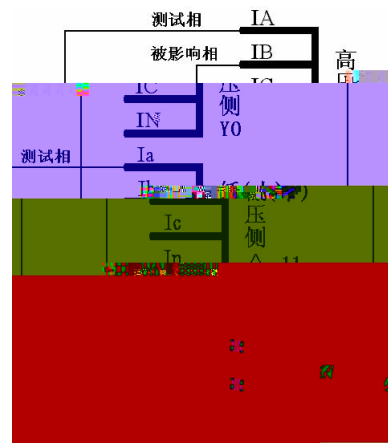
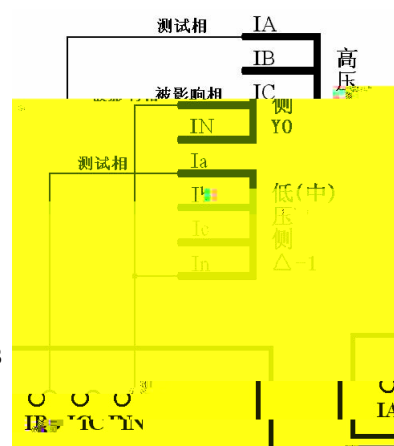
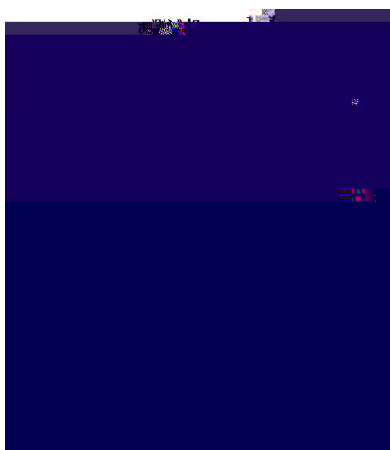
b

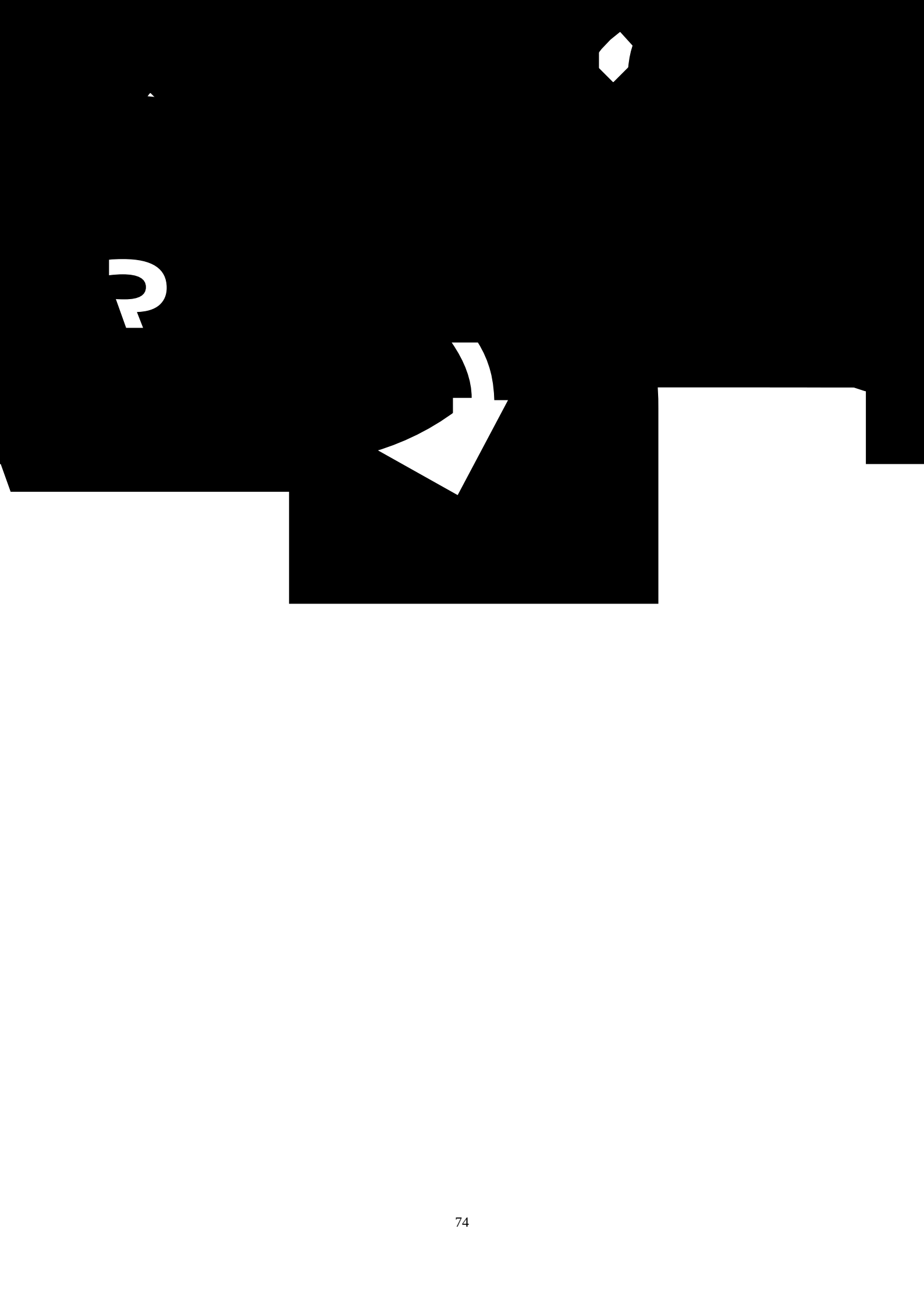
$\hat{1} \quad 1 \quad \psi \quad \sim \quad \eta \quad \cup \quad \beta \quad \bar{w} \quad \psi \quad \sim \quad \beta \quad \mathfrak{L} \quad \hat{A}$
 $\hat{1} \quad 1 \quad \psi \quad \text{Hu} \quad \sim \quad \eta \quad \cup \quad \mathfrak{L} \quad \beta \quad \bar{G} \quad \bar{w} \quad \mathfrak{L} \quad \psi \quad \hat{A} \quad \bar{G} \quad \psi$
 $1 \quad \cup \quad \dot{p} \quad \beta \quad \tilde{e} \quad \downarrow \quad 1 \quad \cup \quad \beta \quad \bar{G} \quad \psi \quad \vee \quad 1 \quad \cup \quad \dot{p} \quad \beta \quad \tilde{e} \quad \psi$
 $\bar{G} \quad \sim \quad \downarrow \quad \vee \quad 1 \quad \cup \quad \beta \quad \hat{A} \quad \bar{G} \quad \psi \quad \dot{p} \quad \beta \quad \tilde{e}$
 $\tilde{e} \quad \downarrow \quad \mathfrak{L} \quad \hat{A}$

71

$$L_{\alpha}^{\beta} = \frac{\partial \mathcal{L}}{\partial \alpha} \frac{\partial \alpha}{\partial \beta}$$


72

$$\tilde{a} \quad \wedge \quad \sim \quad \wedge \quad \sim \quad \vdash$$

$$\begin{array}{cc} H_1 & \cup \\ H_1 & \cup \end{array}$$

$$\begin{array}{c} H_1 \quad \cup \\ H_1 \quad \cup \end{array}$$
$$\tilde{a} \sim H$$

$$\begin{aligned} \gamma^u \quad \beta \quad , \quad k \quad , \quad \gamma \\ IA = IA - IB \quad IB = IB - IC \quad IC = IC - IA \\ H^u \quad b \end{aligned}$$

$$\begin{aligned} \mathbf{H}^u &= \beta \mathbf{H}^v, \quad \gamma \\ \mathbf{I}^a &= \mathbf{I}^a - \mathbf{I}^c \quad \mathbf{I}^b = \mathbf{I}^b - \mathbf{I}^a \quad \mathbf{I}^c = \mathbf{I}^c - \mathbf{I}^b \\ \mathbf{Y}^0 &= \mathbf{K}^u, \quad \mathbf{Y}^v = \mathbf{L}^v \end{aligned}$$
$$\tilde{a} \sim H$$




$$K2=1.732 \frac{U3n}{\sqrt{CT3}} \sqrt{U1n \sqrt{CT1}}$$

γ

$\bar{w}$ ' ,

$$K1=1$$

$$K2=Ie1/Ie2$$

$$K2= Ie1/Ie3$$

ε

$$K1 \rightarrow K2 \rightarrow K3 \rightarrow \dots \rightarrow I \rightarrow II \rightarrow III \rightarrow \dots$$

$$Ie1 \rightarrow Ie2 \rightarrow Ie3 \rightarrow \dots \rightarrow I \rightarrow II \rightarrow III \rightarrow \dots \rightarrow H$$

$$U1n \rightarrow U2n \rightarrow U3n \rightarrow \dots \rightarrow I \rightarrow II \rightarrow III \rightarrow \dots \rightarrow \bar{w} \rightarrow$$

$$CT1 \rightarrow CT2 \rightarrow$$

L'É

h g ¨ G L ¨ 3 ¨ g ï G ð > 0 u v x q ¨ Å a ¨ ^
 3 ¨ ¨ G Â ¨ ı ¨ ƒ 0 v ¨ 3 ¨ w u ¨ 3 ¨ w u
 ĩ ƒ Â ƒ ¨ 3 w Â
 0 ı ¨ 3 z 0 B
 ¨ k 0 v No ¨ f ı v 0 k
 ¨ ı Å ƒ Ĩ k v à 0 à ĩ ĩ ĩ ≠
 ¨ ĩ ĩ ¨ ¨ ¨ v à : ı ¨ L
 ı ı 0 v ¨ B g

o

ı ı ı Δ v ¨ v z , m "

$\bar{w}$ № $\mathfrak{b}$ $\mathfrak{c}$ $\mathfrak{f}$ $\hat{A}$ $\mathfrak{z}$ $\sim$ γ $\bar{w}$ $\mathfrak{a}$ $\wedge$ $\sim$ $\bar{w}$ № Ψ $\mathfrak{f}$
 $\sim$ $\mathfrak{i}$ $\hat{A}$
 $\mathfrak{b}$ $\hat{A}$ $\mathfrak{f}$ $\mathfrak{H}$ $\mathfrak{i}$ $\sim$ $\mathfrak{f}$ $\mathfrak{T}$ $\sim$
 $\mathfrak{z}$ № $\mathfrak{d}$ $\sim$ γ $\mathfrak{k}$ $\hat{A}$ $\mathfrak{k}$ $\sim$ $\bar{w}$ $\mathfrak{n}$ $\mathfrak{z}$
 $\sim$ $\mathfrak{c}$ $\mathfrak{a}$ $\mathfrak{n}$ $\mathfrak{f}$ $\hat{A}$ $\mathfrak{f}$ $\mathfrak{P}$ $\mathfrak{i}$ $\sim$
 $\mathfrak{z}$ $\mathfrak{a}$ $\mathfrak{n}$ $\sim$ $\mathfrak{f}$ $\hat{A}$

$\mathfrak{H}$ $\mathfrak{H}$ $\mathfrak{b}$ γ $\mathfrak{v}$ $\mathfrak{i}$ $\mathfrak{f}$ $\hat{A}$
 $\mathfrak{b}$ $\hat{A}$ $\mathfrak{n}$ $\bar{w}$ $\mathfrak{G}$ $\mathfrak{b}$ $\mathfrak{H}$ $\mathfrak{A}$ $\hat{A}$ γ $\bar{G}$ $\mathfrak{v}$
 $\mathfrak{b}$ $\mathfrak{v}$ $\hat{A}$ $\mathfrak{c}$ $\mathfrak{i}$ $\mathfrak{i}$ γ $\hat{A}$
 $\mathfrak{b}$ $\mathfrak{X}$ $\mathfrak{f}$ $\mathfrak{f}$ $\mathfrak{v}$ $\mathfrak{i}$ $\sim$ $\bar{w}$ $\mathfrak{n}$ $\mathfrak{G}$ $\mathfrak{b}$ $\mathfrak{H}$ $\sim$
 $\mathfrak{i}$ $\mathfrak{f}$ $\hat{A}$ $\mathfrak{v}$ γ $\bar{G}$ $\mathfrak{b}$ $\mathfrak{v}$ $\mathfrak{z}$ γ $\mathfrak{f}$ $\mathfrak{v}$ $\hat{A}$
 $\mathfrak{i}$ γ $\hat{A}$

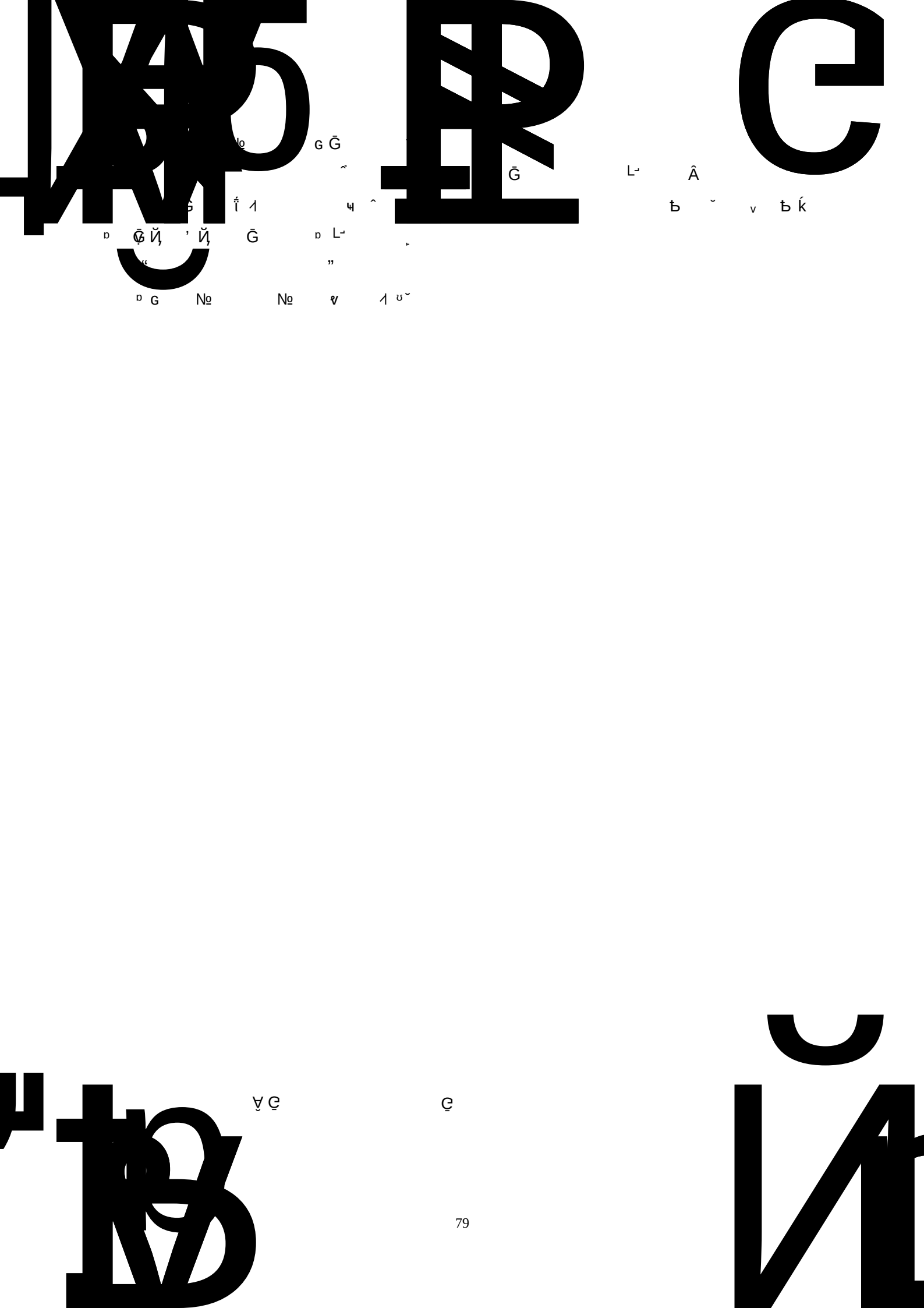
$\mathfrak{D}$ $\mathfrak{z}$ $\sim$ $\mathfrak{n}$ $\mathfrak{n}$ $\hat{A}$
 $\mathfrak{U}$ $\bar{G}$ $\mathfrak{b}$ $\mathfrak{H}$ $\mathfrak{f}$ $\mathfrak{U}$
 $\hat{A}$
 $\mathfrak{H}$ $\mathfrak{n}$ $\mathfrak{G}$ $\mathfrak{b}$ $\mathfrak{H}$ $\mathfrak{b}$
 $\sim$ γ $\mathfrak{c}$ $\mathfrak{z}$ γ ∞ $\sim$ $\mathfrak{f}$ $\mathfrak{v}$ $\bar{w}$ $\mathfrak{a}$

| | |
|---|------------------------------|
| ☒ 接点A | ☐ 接点a |
| ☐ 接点B | ☐ 接点b |
| ☐ 接点C | ☐ 接点c |
| ☐ 接点R | |

$\mathfrak{d}$

$\mathfrak{A}$ $\mathfrak{f}$ $\mathfrak{L}$ $\mathfrak{v}$ $\mathfrak{f}$ $\mathfrak{n}$ $\mathfrak{v}$ $\mathfrak{v}$ $\bar{G}$ $\mathfrak{v}$
 $\mathfrak{z}$ $\mathfrak{v}$ $\mathfrak{v}$ $\mathfrak{v}$ $\hat{A}$ $\mathfrak{H}$ $\mathfrak{f}$ $\mathfrak{v}$ $\mathfrak{v}$ $\mathfrak{f}$
 $\mathfrak{v}$ $\mathfrak{v}$ $\mathfrak{v}$ $\mathfrak{z}$ γ $\mathfrak{f}$ $\mathfrak{f}$ $\mathfrak{v}$ $\mathfrak{v}$ $\mathfrak{v}$ $\mathfrak{v}$ $\hat{A}$
 $\mathfrak{z}$ $\mathfrak{f}$ $\mathfrak{c}$ $\mathfrak{f}$ $\mathfrak{c}$ $\mathfrak{f}$ $\mathfrak{z}$ $\hat{A}$

$\mathfrak{f}$ $\mathfrak{G}$ $\mathfrak{f}$ $\mathfrak{k}$ $\mathfrak{c}$ $\mathfrak{f}$ $\mathfrak{v}$ $\mathfrak{T}$ $\mathfrak{v}$ $\mathfrak{c}$
 Ψ $\mathfrak{a}$ $\mathfrak{v}$ $\hat{A}$ $\mathfrak{v}$ $\mathfrak{a}$ $\mathfrak{v}$ $\mathfrak{v}$ $\mathfrak{f}$
 $\mathfrak{H}$





) @ 6 103âi°Ôd°D;€— ¢wU"K #

⊙ ~ l L G _{vi} Â

G _{vi} || ð Â à 1 G G ~ ~ b Â l L w
g v~ l L g ~ b Â ~ 7 n
G ~ b~ ↓ l L g n γ,⊙ Â

_{vi} H̃ ' H̃ ð w ч ~ γ _{vi} H̃ Â ||
_{vi} H̃ ~ ~ ~ γ Â



2 2
2 2

' б H̃ ~ 'P № || ~ G 'P ~ v Â ~ л | G _{vi}
i H̃ ð'
à ð T à 1 à G G ~ b^ ð
⊙ G ~ ~ ,
à Ъ l v L l v L G w ~ ,
à _{vi} w ~^ ð ⊙ _{vi} ~ ~ ,
à ~ β H̃ ~ _{vi} G ~ ~ № H̃ Â

γ 1 G 1 v~ v ч 1 v Â || ѿ G
l γ 1 L w ~ Â
3 № ч Â ° ~ ~ à H̃ ч ~ 1 ч
1~ ч 1 Â

$\gamma \quad \wedge \quad \sim \quad \bar{G} \quad \neg \quad \mathfrak{b} \quad \neg \quad \mathfrak{b} \quad \hat{A} \, \check{\alpha}$
 $\sim \quad ,$

$\ddot{\omega} \quad \not\equiv \quad \Delta \quad \check{\eta} \quad \downarrow \quad \sim \quad \Gamma \quad \check{\eta} \quad \Vdash$
 $\mathcal{L} \sim \quad \gamma \, \mathfrak{a} \, \gamma \quad \bar{G} \quad \sim \quad \check{\eta} \quad \hat{A}$
 $\check{\alpha} \quad \mathfrak{g} \, \bar{G} \quad \hat{A}$

$\mathfrak{z} \quad \bar{G} \quad \Gamma \, \gamma \quad \downarrow \quad \gamma \quad \mathcal{L} \, w \quad \sim \quad \downarrow \quad \Gamma \, \Delta \quad \downarrow \, \mathcal{L} \quad \mathfrak{g} \, \bar{G} \quad \Gamma \quad \downarrow \, \mathcal{L} \sim \quad \bar{w}$
 $\downarrow \sim \quad \hat{A}$

$\mathfrak{z} \quad \bar{G} \quad \gamma \quad w \quad \sim \quad \sim \quad \bar{G} \quad \mathfrak{u} \quad \textcircled{P} \quad \mathcal{E} \, \gamma \quad \gamma$
 $w \quad \hat{A} \, \downarrow \quad \ddot{\omega} \quad \sim \quad 'P \quad \mathfrak{E} \, \mathfrak{z} \quad \mathcal{L} \quad \mathfrak{g} \, \bar{G} \quad \Gamma \quad \gamma \, \mathcal{L} \, \hat{A} \quad \mathfrak{z} \, \mathfrak{z} \quad \downarrow \, \check{\alpha}$
 $\mathfrak{z} \, \mathfrak{z} \quad \not\equiv \sim \quad \mathfrak{z} \quad \hat{A}$

(U ~ n USB T~ ψ ~ | U f F |
 Đ ~ | w @ USB o Â ı ĐpŃ w Â
 (v Đ ~ ~ () ı ĐpŃ w Â
 (T β ~ ı Đp“ ” ~ | “Win98SE USB à MP3 ~ ” β ~ β
 ı “E:\Win98SE USB à MP3 ~ ” ı ĐpŃ w Â
 (~ ı ĐpŃ w Â
 (Windows ~ w @ ~ ı Đp Â
 (F Windows ~ † “Ń ” ı~ Â
 (~ “ ” T ψ | U ~ ~ ı~ a U ~ Â
 (ì USB o (USB o ı) ~ ~ ò ì : ì ~ Đ
 USB ò~ P L n @ Đ T Â USB ~ USB T~
 b ı ~ ı~ Â

~ T~ Ua^ Uab~ ı Ia ı w Δ v~ ~ “▲” à “▼” ~ ^ ~ ~
 ~ v : ı ı ~ ı ~ ı ~ b v v ı~ b
 ~ Â Ń ı LL-12A Â

